

Scientific Computing with Python

Quick Reference

Starting up

To start ipython with pylab:

```
$ ipython --pylab
```

To exit: ^D (Ctrl-d)

To break from loops: ^C (Ctrl-c)

Simple plotting

Creating a linear array:

```
x = linspace(0, 2*pi, 50)
```

Plotting two variables:

```
plot(x, sin(x))
```

Plotting two lists of equal length x, y:

```
plot(x, y)
```

Plots with colors:

```
plot(x, sin(x), 'b')
```

 gives a blue line

Line style and markers:

```
plot(x, sin(x), '--')
```

 gives a dashed line

'.' – a point marker, 'o' – a circle marker

Labels:

```
xlabel('x') and ylabel('sin(x)')
```

Title (pylab accepts TeX in any text expression):

```
title(r'$\sigma$ vs. $\sin(\sigma)$')
```

Legend:

```
legend(['sin(x)', loc=center)
```

```
legend(['sin(x)', 'cos(x)'])
```

If loc is not specified, best is used

Annotate:

```
annotate('annotation string', xy=(1.5, 1))
```

Saving figures:

```
savefig('sinusoids.png')
```

Axes lengths:

Get the axes lengths:

```
xmin, xmax = xlim()
```

```
ymin, ymax = ylim()
```

Set the axes lengths:

```
xlim(-2*pi, 2*pi)
```

```
ylim(-1.2, 1.2)
```

Miscellaneous:

```
clf() to clear the plot area
```

```
close() to close the figure
```

TAB completes commands

History: Up, down arrows or (Ctrl-p/Ctrl-n)

Search: Ctrl-r and start typing

Ctrl-a: go to start of line

Ctrl-e: go to end of line

Ctrl-k: kill to end of line

Help: object?

Source Code: object??

Time execution of expression/statement: %timeit

Saving and Running scripts

%hist returns history of commands used.

To save a set of lines, say 14-18, 20, 22, to sample.py

```
%save sample.py 14-18 20 22
```

To run sample.py

```
%run -i sample.py
```

Reading from files

filename.txt is a file with float data. Using loadtxt:

```
X = loadtxt('filename.txt')
```

X is an array with all the data from filename.txt

```
X,Y = loadtxt('filename.txt', unpack=True)
```

X,Y contain each column of the data

```
X = loadtxt('filename.txt', delimiter=';')
```

when ';' delimits the columns of data

Statistical operations

```
mean, median, std
```

NumPy Arrays

Fixed size: arr.size

Homogeneous: arr.dtype

Extent along each dimension: arr.shape

Bytes per element: arr.itemsize

Array Creation

```
C = array([[11,12,13], [21,22,23], [31,32,33]])
```

C.shape shape—rows & cols

C.dtype data type

B = ones_like(C) array of ones; same shape, dtype as C
similarly zeros_like, empty_like

A = ones((3,2)) array of ones of shape (3,2)

similarly zeros, empty

I = identity(3) identity matrix of size 3x3

x, y = mgrid[0:3, 0:5] mesh-grid of size 3x5

x, y = ogrid[0:3, 0:5] open mesh-grid of size 3x5

Accessing & Changing elements

C[1, 2] gets third element of second row

Note: Indexing starts from 0.

C[1] gets the second row

C[1, :] same as above (':' implies all columns)

C[:, 1] gets the second column (':' implies all rows)

C[0:2, :] or C[:2, :] gets 1st, 2nd rows; all cols

C[1:3, :] or C[1:, :] gets 2nd, 3rd rows; all cols

C[0:3:2, :] or C[::2, :] gets 1st, 3rd rows; all cols

Matrix Operations

For matrices A and B of equal shapes:

A.T transpose

sum(A) sum of all elements

A+B addition

A*B element wise product

dot(A, B) Matrix multiplication

inv(A) inverse, det(A) determinant

eig(A) eigen values and vectors

norm(A) norm

svd(A) singular value decomposition

Least Square Fit

To get the least square fit of L vs. tsq:

```
A = array([L, ones_like(L)])
```

A = A.T vandermonde matrix

```
result = lstsq(A, tsq)
```

coef = result[0] coefficients

```
Tline = coef[0]*L + coef[1]
```

Solving Linear Equations

```
A = array([[3,2,-1], [2,-2,4], [-1, 0.5, -1]])
```

coefficient array

b = array([1, -2, 0]) constant array

x = solve(A, b) the required solution

Checking the solution:

Ax = dot(A,x) matrix multiplication of A and x

allclose(Ax, b) check the closeness of Ax, b

Roots of Polynomials

coeffs = [1, 6, 13] coefficients in descending order

roots(coeffs) returns complex roots of the polynomial

Roots of non-linear equations

```
from scipy.optimize import fsolve
fsolve is not in pylab
we import from scipy.optimize
We wish to find the roots of  $f(x) = \sin(x) + \cos(x)^2$ 
def f(x):
    return sin(x)+cos(x)**2
fsolve(f, 0)
arguments are function name and initial estimate
```

ODE

To solve the ODE below:

$$\frac{dy}{dt} = ky(L - y), L = 25000, k = 0.00003, y(0) = 250$$

```
def f(y, t):
    k, L = 0.00003, 25000
    return k*y*(L-y)
t = linspace(0, 12, 60) time over which to solve ODE
y0 = 250 initial conditions
from scipy.integrate import odeint
y = odeint(f, y0, t)
```

FFT

```
t = linspace(0, 2*pi, 500)
y = sin(4*pi*t) a sinusoidal signal
f = fft(y)
freq = fftfreq(500, t[1] - t[0])
plot(freq[:250], abs(f)[:250])
```

Random Numbers

```
from numpy import random
random.random: Uniform deviates in [0, 1)
random.normal: Random samples – Gaussian dist.
random.normal: Random samples – Gaussian dist.
x = random.random(size=1000)
x,y = random.normal(size=(2,1000))
```

Record Arrays

```
typ = [('id', int), ('x', float)]
rec = numpy.zeros(10, dtype=typ)
rec['id'] = range(10)
rec['x'] = random.random(size=10)
```

```
data = csv2rec('data.csv') from csv to record array
```

Basic image processing

```
from pylab import imread, imshow, colorbar
a = imread('lena.png'): a is a NumPy array
imshow(a)
colorbar()
```

3D plotting with Mayavi's mlab

```
from mayavi import mlab Ready to Go!
mlab.test_<TAB> Test Functions
mlab.points3d(x, y, z) Plot points in 3D
mlab.contour3d(x*x*0.5 + y*y + z*z*2) 3D contours
mlab.gcf get current figure
mlab.savefig save current figure
mlab.figure switch figure or new figure
mlab.axes create axes
mlab.outline create outline
mlab.title add title
mlab.xlabel, ylabel, zlabel labels
mlab.colorbar Add colorbar
mlab.scalarbar Add colorbar for scalar color mapping
mlab.vectorbar Add colorbar for vector color mapping
mlab.show show figure (standalone scripts)
```