



## **Semester-Long Internship Report**

On

### **Development of Algorithms for Welded Plate Girder and Gusseted Truss Connections**

Submitted by

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## Chapter 1: Introduction

### 1.1 Osdag Internship

Osdag internship is provided under the FOSSEE project. FOSSEE project promotes the use of FOSS (Free/Libre and Open-Source Software) tools to improve the quality of education in our country. FOSSEE encourages the use of FOSS tools through various activities to ensure the availability of competent free software equivalent to commercial (paid) software.

The FOSSEE project is a part of the National Mission on Education through Information and Communication Technology (ICT), Ministry of Education, Government of India.

Osdag is one such open-source software that comes under the FOSSEE project. Osdag internship is provided through the FOSSEE project. Any UG/PG/Ph.D. holder can apply for this internship. And the selection will be based on a screening task.

### 1.2 What is Osdag?

Osdag is Free/Libre and Open-Source Software being developed for the design of steel structures following IS 800:2007 and other relevant design codes. OSDAG helps users in designing steel connections, members and systems using interactive Graphical User Interface (GUI).

The source code is written in Python, 3D CAD images are developed using PythonOCC. GitHub is used to ensure smooth workflow between different modules and team members. It is in a path where people from around the world would be able to contribute to its development. FOSSEE's "Share alike" policy would improve the standard of the software when the source code is further modified based on the industrial and educational needs across the country.

Design and Detailing Checklist (DDCL) for different connections, members and structure designs is one of the main products of this project. It would create a repository and design guidebook for steel construction based on Indian Standard codes and best industry practices.



Figure: Home page of OSDAG

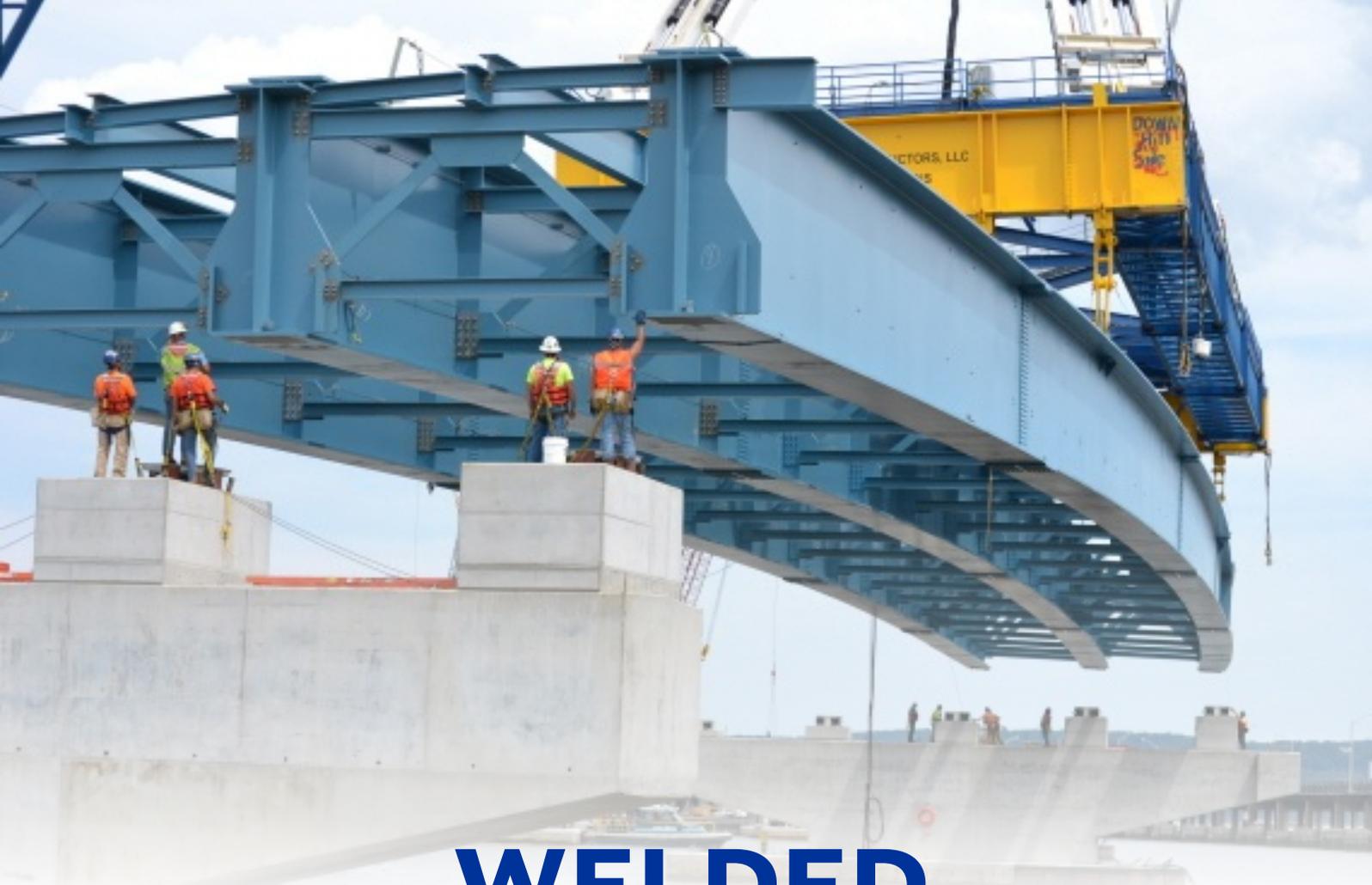
### 1.3 Who can use Osdag?

Osdag is primarily created for use in academia for students and teachers but industry professionals also find it useful. As Osdag is currently funded by MHRD, the Osdag team is developing software in such a way that it can be used by the students during their academics and to give them a better insight look in the subject.

Osdag can be used by anyone starting from novice to professionals. Its simple user interface makes it flexible and attractive than other software. Video tutorials are available to help get started. The video tutorials of Osdag can be accessed here.

- The video tutorials of OSDAG can be easily accessed from <https://osdag.fossee.in/resources/videos> or YouTube.
- The sample design problems for different modules can be viewed from <https://osdag.fossee.in/resources/sample-design>
- One can view the user tools used for the development of OSDAG from <https://osdag.fossee.in/resources/user-tools>

OSDAG can be downloaded from <https://osdag.fossee.in/resources/downloads>



# WELDED PLATE GIRDER

## Chapter 2: Plate Girders

### 2.1 Introduction

Plate girders are deep built-up flexural members used to resist high bending moments and shear forces over long spans where the standard rolled or compound beams cannot satisfy the design requirements. Generally, plate girders consist of two flange plates welded to web plate to form an I-section. The major function of the flange plates is to resist the stresses arising from the applied bending moments. The major aim of the web plate is to resist the applied shear forces. For making the plate girders light and economical, the web depth must be increased as possible to decrease the required flanges area while keeping the web thickness thin as possible. So, in addition to economy, they also provide maximum flexibility. The designer has the freedom to choose components of convenient size. It is possible to provide the exact amount of steel required at each section along the length of the girder by changing the flange areas and keeping the depth of the girder constant. In other words, it can be shaped to match the bending moment curve itself. Thus, a plate girder offers limitless possibilities to the creativity of the engineer.

Since the web is usually a slender plate, hence to prevent the girder from failing due to web buckling under shear force more than its capacity, vertical and horizontal stiffeners are used to avoid web buckling.



*Figure: An example of a typical plate girder bridge*

### 2.2 Elements of a Plate Girder

The most common components of welded stiffened and unstiffened plate girders are:

1. Web plate
2. Flange plate
3. End Bearing stiffeners
4. Load Bearing stiffeners
5. Intermediate transverse stiffeners
6. Longitudinal stiffeners
7. Connection between stiffeners, flange and the web

### **2.3 Assumptions made in the design algorithm of Plate Girder**

1. The algorithm has been split in two separate modules namely:
  - Unstiffened Girder with thick web (without intermediate transverse stiffeners)
  - Stiffened Girder with thin web (with intermediate transverse stiffeners)
2. The bending moments are assumed to be carried by the flanges and the shear by the web.
3. The plate girder is assumed as simply supported and laterally restrained throughout.
4. The Self-weight of the Plate Girder (kN/m) is assumed as equal to  $(\text{Factored UDL} \times \text{Span Length} / 400)$  where Factored UDL is in kN/m and Span Length in metres.
5. A total of four concentrated loads can be added by the user along with the uniformly distributed load.
6. The algorithm assumes a minimum thickness of 8 mm for any element.
7. A chamfer of 15mm has been assumed for the provision of fillet welds.

# ALGORITHM: WELDED PLATE GIRDER (UNSTIFFENED THICK WEB)

## INPUT DOCK:

### Girder Details

Span Length (m)*	<input type="text" value="min: 1, max: 50"/>	L
Imposed Factored UDL* (KN/m) Excluding Self Weight	<input type="text" value="min: 1, max: 1000"/>	fact_udl
Concentrated Loads *	<input type="text" value="No / Yes"/>	
<i>If "Yes" then ask "Number of loads" and the following details according to the number of loads specified. (max 4)</i>		
Factored Load 1 (kN)*	<input type="text" value="min: 1, max: 2000"/>	P1
Load 1 distance from left support (m)*	<input type="text" value="min: 0.1, max: L-0.1"/>	a1
Factored Load 2 (kN)*	<input type="text" value="min: 1, max: 2000"/>	P2
Load 2 distance from left support (m)*	<input type="text" value="min: 0.1, max: L-0.1"/>	a2
Factored Load 3 (kN)*	<input type="text" value="min: 1, max: 2000"/>	P3
Load 3 distance from left support (m)*	<input type="text" value="min: 0.1, max: L-0.1"/>	a3
Factored Load 4 (kN)*	<input type="text" value="min: 1, max: 2000"/>	P4
Load 4 distance from left support (m)*	<input type="text" value="min: 0.1, max: L-0.1"/>	a4
Web Type	<input type="text" value="Unstiffened Thick Web"/>	
Material Yield Stress (MPa)*	<input type="text" value="250 MPa"/>	fy

**The plate girder shall be assumed as simply supported and laterally restrained throughout.**

## STEP 1: LOAD CALCULATION

◆  $\text{self\_wt} = \frac{\text{fact\_udl} \times L}{400}$   
 kN/m  $\leftarrow$

◆  $w = \text{fact\_udl} + \text{self\_wt}$   
 $\rightarrow$  kN/m

◆  $b_1 = L - a_1$

◆  $b_2 = L - a_2$

◆  $b_3 = L - a_3$

◆  $b_4 = L - a_4$

- ◆ Calculate Shear Force at  $x=0$ , at  $x=L$  and under each concentrated load (at  $x=a_1$ , at  $x=a_2$ , at  $x=a_3$ , at  $x=a_4$ ) using the below formula:

**SF at any section 'x' metres from left support is given by:**

$$\text{SF}_x = \left( \frac{wL}{2} - wx \right) + \left\{ \begin{array}{l} P_1 b_1 / L \quad \dots \text{if } x < a_1 \\ -P_1 a_1 / L \quad \dots \text{if } x > a_1 \\ \frac{P_1 b_1}{L} \text{ or } \frac{-P_1 a_1}{L} \quad \dots \text{if } x = a_1 \end{array} \right\} + \left\{ \begin{array}{l} P_2 b_2 / L \quad \dots \text{if } x < a_2 \\ -P_2 a_2 / L \quad \dots \text{if } x > a_2 \\ \frac{P_2 b_2}{L} \text{ or } \frac{-P_2 a_2}{L} \quad \dots \text{if } x = a_2 \end{array} \right\}$$

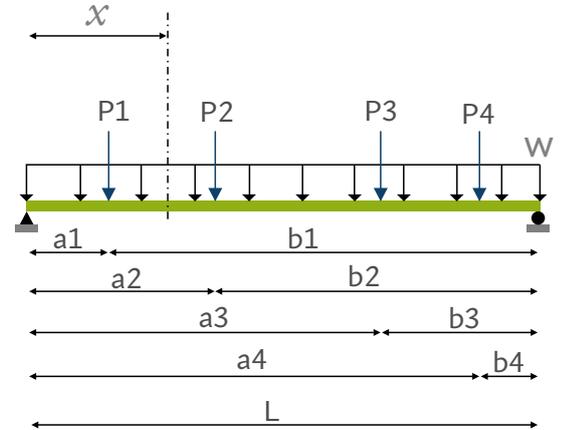
*whichever is greater in magnitude*                      *whichever is greater in magnitude*

$$+ \left\{ \begin{array}{l} P_3 b_3 / L \quad \dots \text{if } x < a_3 \\ -P_3 a_3 / L \quad \dots \text{if } x > a_3 \\ \frac{P_3 b_3}{L} \text{ or } \frac{-P_3 a_3}{L} \quad \dots \text{if } x = a_3 \end{array} \right\} + \left\{ \begin{array}{l} P_4 b_4 / L \quad \dots \text{if } x < a_4 \\ -P_4 a_4 / L \quad \dots \text{if } x > a_4 \\ \frac{P_4 b_4}{L} \text{ or } \frac{-P_4 a_4}{L} \quad \dots \text{if } x = a_4 \end{array} \right\}$$

*whichever is greater in magnitude*                      *whichever is greater in magnitude*

- ◆ Calculate Maximum Shear Force (**SF<sub>max</sub>**) using the above formula. It will be at either  $x=0$  or at  $x=L$ .

## References / Remarks



- ◆ Bending Moment at any section 'x' metres from left support is given by:

$$\begin{aligned}
 BM_x = & \frac{wx(L-x)}{2} + \left\{ \begin{array}{l} \frac{P1 \ b1 \ x}{L} \quad \dots \text{if } x \leq a1 \\ \frac{P1 \ b1 \ x}{L} - P1 (x-a1) \quad \dots \text{if } x > a1 \end{array} \right\} \\
 & + \left\{ \begin{array}{l} \frac{P2 \ b2 \ x}{L} \quad \dots \text{if } x \leq a2 \\ \frac{P2 \ b2 \ x}{L} - P2 (x-a2) \quad \dots \text{if } x > a2 \end{array} \right\} + \left\{ \begin{array}{l} \frac{P3 \ b3 \ x}{L} \quad \dots \text{if } x \leq a3 \\ \frac{P3 \ b3 \ x}{L} - P3 (x-a3) \quad \dots \text{if } x > a3 \end{array} \right\} \\
 & + \left\{ \begin{array}{l} \frac{P4 \ b4 \ x}{L} \quad \dots \text{if } x \leq a4 \\ \frac{P4 \ b4 \ x}{L} - P4 (x-a4) \quad \dots \text{if } x > a4 \end{array} \right\}
 \end{aligned}$$

- ◆ Calculate Maximum Bending Moment (**BM<sub>max</sub>**) using the above formula.

## STEP 2: PROPORTIONING OF WEB

- ◆  $\epsilon = \sqrt{250 / f_y}$  ...Clause 8.4.2.1

- ◆ Optimum depth of web (web<sub>depth</sub>):

$$\text{web}_{\text{depth}} = (\text{BM}_{\text{max}} \times 10^6 \times 200 \times \epsilon / f_y)^{0.33}$$

*(mm)*

*Ignore the post-decimal part & round it off to the nearest lower multiple of 10.*

- ◆ Optimum thickness of web (web<sub>thickness</sub>):

$$\text{web}_{\text{thickness}} = \left[ \frac{\text{BM}_{\text{max}} \times 10^6}{[200 \times \epsilon]^2 \times f_y} \right]^{0.33}$$

*(mm)* ...Clause 8.6.1.1

*Ignore the post-decimal part & round it off to the nearest higher multiple of 2.*

*Minimum value of web<sub>thickness</sub> = 8mm*

### STEP 3: PROPORTIONING OF FLANGE

$$\text{flange\_area} = \frac{\text{BM\_max} \times 10^6 \times 1.1}{f_y \times \text{web\_depth}}$$

(mm<sup>2</sup>)

$$\text{flange\_breadth} = 0.3 \times \text{web\_depth}$$

(mm)

*Ignore the post-decimal part & round it off to the nearest higher multiple of 10.*

$$\text{flange\_thickness} = \text{flange\_area} / \text{flange\_breadth}$$

(mm)

*Ignore the post-decimal part & round it off to the nearest higher multiple of 5.  
Minimum value of flange\_thickness = 8mm.*

### STEP 4: CLASSIFICATION OF FLANGE

$$\text{flange\_outstand} = (\text{flange\_breadth} - \text{web\_thickness}) / 2$$

(mm)

Calculate: flange\_outstand / flange\_thickness

$$\text{if } \frac{\text{flange\_outstand}}{\text{flange\_thickness}} \leq 8.4 \times \text{epsilon} \text{ then flange\_type} = \text{plastic}$$

$$\text{if } 8.4 \times \text{epsilon} < \frac{\text{flange\_outstand}}{\text{flange\_thickness}} \leq 9.4 \times \text{epsilon} \text{ then flange\_type} = \text{compact}$$

$$\text{if } 9.4 \times \text{epsilon} < \frac{\text{flange\_outstand}}{\text{flange\_thickness}} \leq 13.6 \times \text{epsilon} \text{ then flange\_type} = \text{semi\_compact}$$

$$\text{if } \frac{\text{flange\_outstand}}{\text{flange\_thickness}} > 13.6 \times \text{epsilon} \text{ then flange\_type} = \text{slender}$$

### STEP 5: CLASSIFICATION OF WEB

...Table 2 of the code

$$\text{if } \frac{\text{web\_depth}}{\text{web\_thickness}} \leq 84 \times \text{epsilon} \text{ then web\_type} = \text{plastic}$$

$$\text{if } 84 \times \text{epsilon} < \frac{\text{web\_depth}}{\text{web\_thickness}} \leq 105 \times \text{epsilon} \text{ then web\_type} = \text{compact}$$

$$\text{if } \frac{\text{web\_depth}}{\text{web\_thickness}} > 105 \times \text{epsilon} \text{ then web\_type} = \text{slender}$$

## STEP 6: CALCULATE Zp AND Ze

- ◆  $Z_p = 2 \left[ \text{flange\_breadth} \times \text{flange\_thickness} \times \left\{ \frac{\text{web\_depth}}{2} + \frac{\text{flange\_thickness}}{2} \right\} \right]$   
( $\text{mm}^3$ )
- ◆  $\text{section\_depth} = \text{web\_depth} + 2(\text{flange\_thickness})$   
( $\text{mm}$ )
- ◆  $Z_e = \frac{2}{\text{section\_depth}} \times \left\{ \frac{\text{flange\_breadth} \times (\text{section\_depth})^3}{12} - \frac{(\text{flange\_breadth} - \text{web\_thickness}) (\text{web\_depth})^3}{12} \right\}$   
( $\text{mm}^3$ )

## STEP 7: CHECK FOR BENDING STRENGTH OF FLANGE

...Clause 8.2.1.2

- ◆  $B_b = 1$  ...if *flange\_type* = "plastic" or "compact"  
 $B_b = Z_e / Z_p$  ...if *flange\_type* = "semi\_compact" or "slender"

- ◆  $\text{moment\_capacity} = B_b \times f_y \times Z_p \times 10^{-6} / 1.1$   
( $\text{KN m}$ )

*if:*  $\text{moment\_capacity} > \text{BM\_max}$

*print* "section is safe in bending" and proceed to the next step.

*else:* increase **flange\_thickness** by increments of 2 mm and repeat from Step-4 till here until **moment capacity** > **BM\_max**.

## STEP 8: CHECK FOR SHEAR STRENGTH OF WEB

...Clause 8.4.2.2

...Clause 8.6.1

- ◆  $\text{tau\_cr\_e} = \frac{5.35 \times \pi^2 \times 2 \times 10^5}{12 (1 - 0.3^2) (\text{web\_depth} / \text{web\_thickness})^2}$   
( $\text{N} / \text{mm}^2$ )

- ◆  $\text{lamda}_1 = \sqrt{\frac{f_y}{\sqrt{3} \times \text{tau\_cr\_e}}}$

- ◆ *if:*  $\text{lamda}_1 \leq 0.8$  *then:*  $\text{tau\_b\_1} = f_y / \sqrt{3}$

*if:*  $0.8 < \text{lamda}_1 < 1.2$  *then:*  $\text{tau\_b\_1} = [1 - (\text{lamda}_1 - 0.8)] (f_y / \sqrt{3})$

*if:*  $\text{lamda}_1 \geq 1.2$  *then:*  $\text{tau\_b\_1} = \frac{f_y}{\sqrt{3} [\text{lamda}_1]^2}$

◆  $vcr = \tau_{ub} \times web\_depth \times web\_thickness \times 10^{-3}$   
*(kN)*

↓ *absolute value of max Shear Force*

- ◆ *if:*  $vcr > |SF_{max}|$  *print:* “section is safe in shear” & proceed to next step.  
*else:* increase **web\_thickness** by increments of 2 mm and repeat from Step-5 till here until  **$vcr > |SF_{max}|$**

## STEP 9: CHECK FOR LOCAL CAPACITY OF WEB

...Clause 8.7.4

◆  $local\_capacity\_web = 2.5 \times flange\_thickness \times web\_thickness \times f_y \times 10^{-3} / 1.1$   
*(kN)*

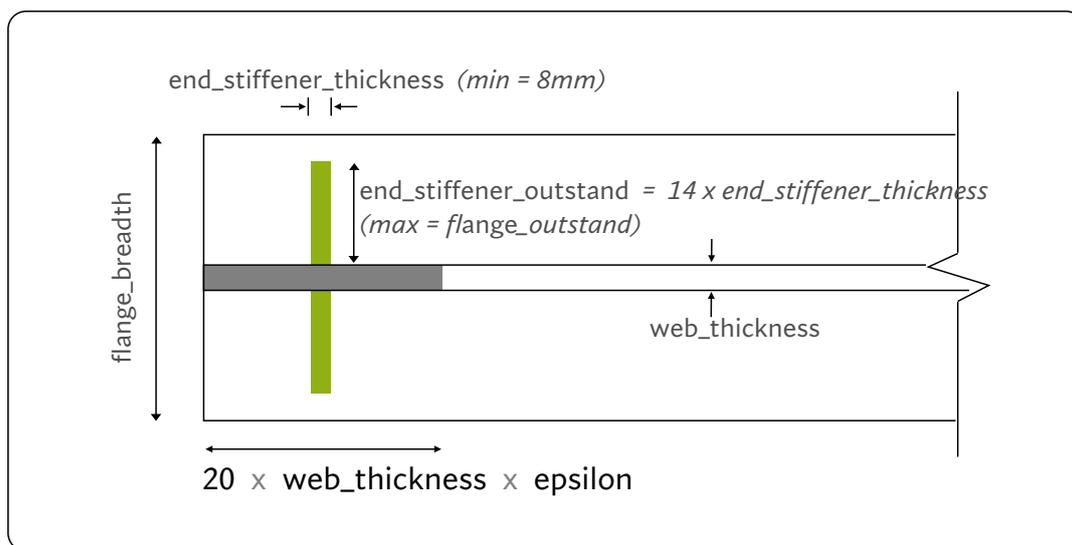
*if:*  $local\_capacity\_web > |SF_{max}|$

*print:* “End bearing stiffeners are not required since the local capacity of the web at its connection to the flange is greater than the reaction.” & directly go to **step-11**.

*else if:*  $local\_capacity\_web < |SF_{max}|$

*print:* “End bearing stiffeners are required since the local capacity of the web at its connection to the flange is less than the reaction.” & proceed to **next step**.

## STEP 10: DESIGN OF END BEARING STIFFENER



**Note:** If the loading is symmetrical, provide the same stiffener design on both the ends of the plate girder since the shear force will be same at both the ends and it will be the maximum ( $SF_{max}$ ).

In case of an unsymmetrical loading, only one of the end-support will have the max shear, the other being comparatively less. So in such a case, to achieve economy in design, this step needs to be performed at both the ends of the plate girder taking into account their respective shear forces.

## DIMENSIONING:

...Clause 8.7.1.2

- ◆ *Initially assume:* end\_stiffener\_thickness = **8** mm
- ◆ end\_stiffener\_outstand = 14 × end\_stiffener\_thickness × epsilon  
↑ (Max permissible value = **flange\_outstand**. Limit it at flange\_outstand if it exceeds)

## Buckling Check:

- ◆ Calculate Effective area as: ...Clause 8.7.1.5  
eff\_area = (20 × web\_thickness × epsilon × web\_thickness)  
+ 2(end\_stiffener\_outstand × end\_stiffener\_thickness)
- ◆ 
$$moi = \frac{20 \times \text{web\_thickness} \times \text{epsilon} \times (\text{web\_thickness})^3}{12} + \frac{\text{end\_stiffener\_thickness} \times (2 \times \text{end\_stiffener\_outstand})^3}{12}$$
- ◆  $r = \sqrt{moi / \text{eff\_area}}$
- ◆ lamda\_2 = 0.7 × web\_depth / r ...Clause 8.7.1.5
- ◆ Calculate **fcd** from pg 42 - table 9c of IS 800:2007 through interpolation.
- ◆ buckling\_resistance = eff\_area × fcd × 10<sup>-3</sup> ... (Total buckling resistance of the pair of stiffeners)  
*if:* buckling\_resistance < |SFx|  
*then:* increase **end\_stiffener\_thickness** by an increment of **2** mm and **repeat this step**.  
*if:* buckling\_resistance > |SFx| *then:* proceed ahead.

## Bearing Check:

- ◆ bearing\_capacity =  
$$\frac{2 (\text{end\_stiffener\_outstand} - 15) \times \text{end\_stiffener\_thickness} \times f_y \times 10^{-3}}{0.8 \times 1.1}$$
  
*if:* bearing\_capacity < |SFx|  
*then:* increase **end\_stiffener\_thickness** by an increment of **2** mm and **repeat this step**.  
... |SFx| is the absolute value of Shear Force at the location of the end-bearing stiffener.  
*Note: Both the end-stiffeners of the pair shall have same dimensions.*

## **STEP 11: DESIGN OF LOAD CARRYING STIFFENERS**

...Clause 8.7.3

*Perform this step only if user specifies Concentrated Loads in the input dock.*

- if:* local\_capacity\_web > largest of {P1, P2, P3, P4}
- then:* print “No load carrying stiffeners are required since the local capacity of the web at the position of concentrated loads is greater than the loads.” and directly go to the **next step (step-12)**.

*if:* local\_capacity\_web < **P1**

*then:*

print "Load carrying stiffener is required below concentrated load 1"

### **step 11.1:**

#### **DIMENSIONING:**

- ◆ *Initially assume:* load1\_stiffener\_thickness = **8** mm
- ◆ load1\_stiffener\_outstand = 14 × load1\_stiffener\_thickness × epsilon  
↑ (Max permissible value = **flange\_outstand**. Limit it at flange\_outstand if it exceeds)

#### **Buckling Check:**

- ◆ Calculate Effective area as: ...Total effective area for the pair of stiffeners  
eff\_area\_2 = (40 × web\_thickness × epsilon × web\_thickness)  
+ 2(load1\_stiffener\_outstand × load1\_stiffener\_thickness)
  - ◆ 
$$moi_2 = \frac{40 \times \text{web\_thickness} \times \text{epsilon} \times (\text{web\_thickness})^3}{12} + \frac{\text{load1\_stiffener\_thickness} \times (2 \times \text{load1\_stiffener\_outstand})^3}{12}$$
  - ◆  $r_2 = \sqrt{moi_2 / \text{eff\_area}_2}$
  - ◆  $\text{lamda}_3 = 0.7 \times \text{web\_depth} / r_2$
  - ◆ Calculate **fcd\_2** from pg 42 - table 9c of IS 800:2007 through interpolation.
  - ◆ buckling\_resistance\_2 = eff\_area\_2 × fcd\_2 × 10<sup>-3</sup>
- if:* buckling\_resistance\_2 < P1 ...Clause 8.7.5.1  
*then:* increase **load1\_stiffener\_thickness** by increment of **2** mm and repeat step 11.1
- if:* buckling\_resistance\_2 > P1 *then:* proceed ahead.

#### **Bearing Check:**

- ◆ bearing\_capacity\_2 =  
$$\frac{2 (\text{load1\_stiffener\_outstand} - 15) \times \text{load1\_stiffener\_thickness} \times f_y \times 10^{-3}}{0.8 \times 1.1}$$
- if:* bearing\_capacity\_2 < P1 ...Clause 8.7.5.2  
*then:* increase **load1\_stiffener\_thickness** by increment of 2 mm and repeat step 11.1

*Note: Provide the stiffener on both the sides of the web.*

*if:* local\_capacity\_web < **P2**

*then:*

print "Load carrying stiffener is required below concentrated load 2"

### **step 11.2:**

#### **DIMENSIONING:**

- ◆ *Initially assume:* load2\_stiffener\_thickness = **8** mm
- ◆ load2\_stiffener\_outstand = 14 × load2\_stiffener\_thickness × epsilon  
↑ (Max permissible value = **flange\_outstand**. Limit it at flange\_outstand if it exceeds)

#### **Buckling Check:**

- ◆ Calculate Effective area as: ...Total effective area for the pair of stiffeners  
eff\_area\_3 = (40 × web\_thickness × epsilon × web\_thickness)  
+ 2(load2\_stiffener\_outstand × load2\_stiffener\_thickness)
  - ◆ 
$$moi_3 = \frac{40 \times \text{web\_thickness} \times \text{epsilon} \times (\text{web\_thickness})^3}{12} + \frac{\text{load2\_stiffener\_thickness} \times (2 \times \text{load2\_stiffener\_outstand})^3}{12}$$
  - ◆  $r_3 = \sqrt{moi_3 / \text{eff\_area}_3}$
  - ◆ lamda\_4 = 0.7 × web\_depth / r\_3
  - ◆ Calculate **fcd\_3** from pg 42 - table 9c of IS 800:2007 through interpolation.
  - ◆ buckling\_resistance\_3 = eff\_area\_3 × fcd\_3 × 10<sup>-3</sup>
- if:* buckling\_resistance\_3 < P2 ...Clause 8.7.5.1  
*then:* increase **load2\_stiffener\_thickness** by increment of **2** mm and repeat step 11.2
- if:* buckling\_resistance\_3 > P2 *then:* proceed ahead.

#### **Bearing Check:**

- ◆ bearing\_capacity\_3 =  
$$\frac{2 (\text{load2\_stiffener\_outstand} - 15) \times \text{load2\_stiffener\_thickness} \times f_y \times 10^{-3}}{0.8 \times 1.1}$$
- if:* bearing\_capacity\_3 < P2 ...Clause 8.7.5.2  
*then:* increase **load2\_stiffener\_thickness** by increment of 2 mm and repeat step 11.2

*Note: Provide the stiffener on both the sides of the web.*

if: local\_capacity\_web < P3

then:

print "Load carrying stiffener is required below concentrated load 3"

### step 11.3:

#### DIMENSIONING:

- ◆ Initially assume: load3\_stiffener\_thickness = 8 mm
- ◆ load3\_stiffener\_outstand = 14 × load3\_stiffener\_thickness × epsilon  
↑ (Max permissible value = flange\_outstand. Limit it at flange\_outstand if it exceeds)

#### Buckling Check:

- ◆ Calculate Effective area as: ...Total effective area for the pair of stiffeners  
eff\_area\_4 = (40 × web\_thickness × epsilon × web\_thickness)  
+ 2(load3\_stiffener\_outstand × load3\_stiffener\_thickness)
  - ◆ 
$$moi_4 = \frac{40 \times web\_thickness \times epsilon \times (web\_thickness)^3}{12} + \frac{load3\_stiffener\_thickness \times (2 \times load3\_stiffener\_outstand)^3}{12}$$
  - ◆  $r_4 = \sqrt{moi_4 / eff\_area_4}$
  - ◆ lamda\_5 = 0.7 × web\_depth / r\_4
  - ◆ Calculate fcd\_4 from pg 42 - table 9c of IS 800:2007 through interpolation.
  - ◆ buckling\_resistance\_4 = eff\_area\_4 × fcd\_4 × 10<sup>-3</sup>
- if: buckling\_resistance\_4 < P3 ...Clause 8.7.5.1  
then: increase **load3\_stiffener\_thickness** by increment of 2 mm and repeat step 11.3
- if: buckling\_resistance\_4 > P3 then: proceed ahead.

#### Bearing Check:

- ◆ bearing\_capacity\_4 = 
$$\frac{2 (load3\_stiffener\_outstand - 15) \times load3\_stiffener\_thickness \times fy \times 10^{-3}}{0.8 \times 1.1}$$
- if: bearing\_capacity\_4 < P3 ...Clause 8.7.5.2  
then: increase **load3\_stiffener\_thickness** by increment of 2 mm and repeat step 11.3

Note: Provide the stiffener on both the sides of the web.

*if:* local\_capacity\_web < **P4**

*then:*

print "Load carrying stiffener is required below concentrated load 4"

### **step 11.4:**

#### **DIMENSIONING:**

- ◆ *Initially assume:* load4\_stiffener\_thickness = **8** mm
- ◆ load4\_stiffener\_outstand = 14 × load4\_stiffener\_thickness × epsilon  
↑ (Max permissible value = **flange\_outstand**. Limit it at flange\_outstand if it exceeds)

#### **Buckling Check:**

- ◆ Calculate Effective area as: ...Total effective area for the pair of stiffeners  
eff\_area\_5 = (40 × web\_thickness × epsilon × web\_thickness)  
+ 2(load4\_stiffener\_outstand × load4\_stiffener\_thickness)
  - ◆ 
$$moi_5 = \frac{40 \times \text{web\_thickness} \times \text{epsilon} \times (\text{web\_thickness})^3}{12} + \frac{\text{load4\_stiffener\_thickness} \times (2 \times \text{load4\_stiffener\_outstand})^3}{12}$$
  - ◆  $r_5 = \sqrt{moi_5 / \text{eff\_area}_5}$
  - ◆ lamda\_6 = 0.7 × web\_depth / r\_5
  - ◆ Calculate **fcd\_5** from pg 42 - table 9c of IS 800:2007 through interpolation.
  - ◆ buckling\_resistance\_5 = eff\_area\_5 × fcd\_5 × 10<sup>-3</sup>
- if:* buckling\_resistance\_5 < P4 ...Clause 8.7.5.1  
*then:* increase **load4\_stiffener\_thickness** by increment of **2** mm and repeat step 11.4
- if:* buckling\_resistance\_5 > P4 *then:* proceed ahead.

#### **Bearing Check:**

- ◆ bearing\_capacity\_5 =  
$$\frac{2 (\text{load4\_stiffener\_outstand} - 15) \times \text{load4\_stiffener\_thickness} \times f_y \times 10^{-3}}{0.8 \times 1.1}$$
- if:* bearing\_capacity\_5 < P4 ...Clause 8.7.5.2  
*then:* increase **load4\_stiffener\_thickness** by increment of 2 mm and repeat step 11.4

*Note: Provide the stiffener on both the sides of the web.*

## STEP 12: DESIGN OF WELD AT WEB-FLANGE JUNCTION

- ◆  $\text{section\_depth} = \text{web\_depth} + 2(\text{flange\_thickness})$
- ◆  $\text{moi\_z} = \frac{\text{flange\_breadth} \times (\text{section\_depth})^3}{12} - \frac{(\text{flange\_breadth} - \text{web\_thickness}) (\text{web\_depth})^3}{12}$

- ◆ Calculate minimum weld strength required ( $q_w$ ): ( $kN/mm$ )

$$q_w = \frac{|\text{SF\_max}| \times \text{flange\_breadth} \times \text{flange\_thickness} \times \text{section\_depth}}{2 \times 2 \times \text{moi\_z}}$$

From the below table provide a suitable weld size (**s1**) whose design capacity just exceeds **q<sub>w</sub>**.

Table-1: Design Capacity of fillet welds

Leg Lengths ( <b>mm</b> )	Design Capacity per unit run ( <b>kN/mm</b> ) for $f_y = 250 \text{ Mpa}$ ; site welded
4	0.442
5	0.553
6	0.663
8	0.884
10	1.106
12	1.327
15	1.659
18	1.990
20	2.212
22	2.433
25	2.765

(Reference Book: N. Subramanian; Table: 6.5)

*This step is applicable when end stiffener is provided.*

◆ Calculate minimum weld strength required  $q$ : (kN/mm)

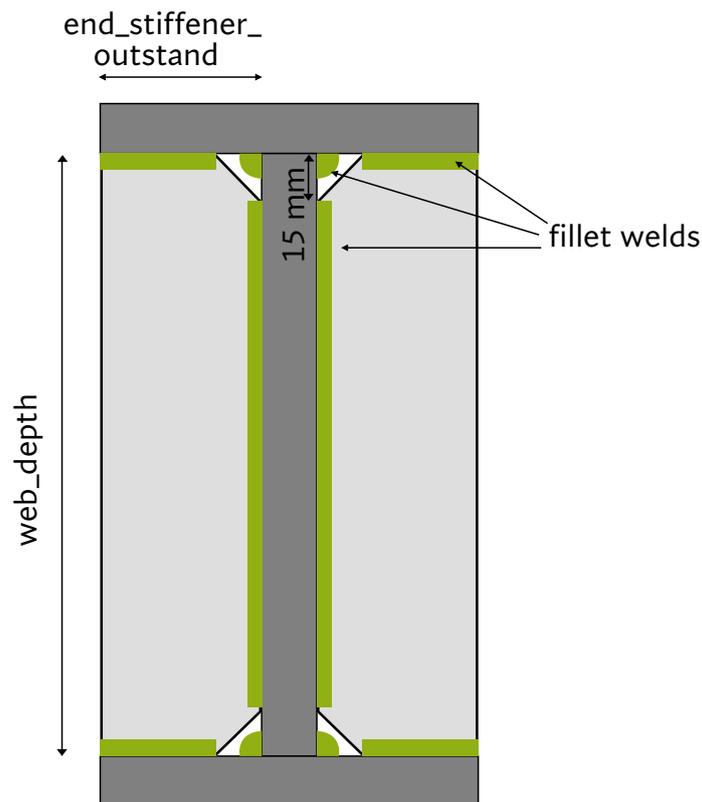
$$◆ q_1 = \frac{\text{web\_thickness}^2}{5 \times \text{end\_stiffener\_outstand}}$$

$$◆ q_2 = \frac{(|SF_x| - \text{local\_capacity\_web}) / 2}{\text{web\_depth} - 30}$$

$$◆ q = q_1 + q_2$$

*From table-1, provide a suitable weld size (**s2**) whose design capacity just exceeds  $q$ . provide same weld size to the stiffener on the opposite side of the web.*

*Note: End-bearing stiffener is welded to web and also to compression & tension flanges. The weld is provided on both sides of the stiffener.*



End Bearing Stiffener

## STEP 14: DESIGN OF WELD FOR LOAD CARRYING STIFFENERS

*This step is applicable when load-carrying stiffener is provided.*

◆ Calculate minimum weld strength required  $q$ : (kN/mm)

$$◆ q_3 = \frac{\text{web\_thickness}^2}{5 \times \text{load1\_stiffener\_outstand}}$$

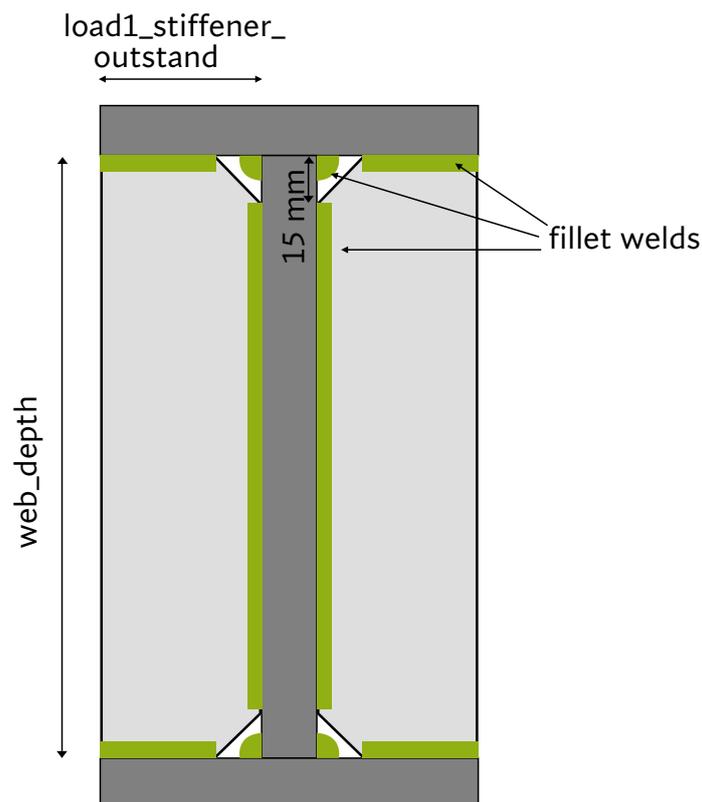
$$◆ q_4 = \frac{(|SF_x| - \text{local\_capacity\_web}) / 2}{\text{web\_depth} - 30} \quad \dots |SF_x| \text{ is the absolute value of Shear Force at the location of this stiffener.}$$

$$◆ q_{\text{load1}} = q_3 + q_4$$

*From table-1 provide a weld size (**s3**) whose design capacity just exceeds **q<sub>load1</sub>**. provide same weld size to the stiffener on the opposite side of the web.*

*Note: Load Carrying Stiffener is welded to web & also to compression & tension flanges. The weld is provided on both sides of the stiffener.*

*Note: Follow this same procedure for the design of all other Load Carrying Stiffeners. For brevity, those steps have not been shown.*



Load-1 Carrying Stiffener

## OUTPUT DOCK:

### Load Calculation

Maximum Shear Force (kN)

Maximum Bending Moment (kNm)

### Web Details

Web Thickness (mm)

Web Depth (mm)

Local Capacity of Web (kN)

Shear Strength of Web (kN)

Classification of Web

### Flange Details

Flange Breadth (mm)

Flange Thickness (mm)

Bending Strength (Moment Capacity) of Flange (kNm)

Classification of Flange

### End Bearing Stiffener Details

Thickness (mm)

Depth (mm)

Outstand (mm)

Buckling Resistance (kN)

Bearing Resistance (kN)

### Load Bearing Stiffener Details

*Stiffener Under Concentrated Load-1*

Thickness (mm)

Depth (mm)

Outstand (mm)

Buckling Resistance (kN)

Bearing Resistance (kN)

*Do the same for stiffeners under other loads too.*

## Fillet Weld Details

### At Web-Flange Junction

Size of Fillet Weld between Web-Flange Junction (mm)

*s1*

Strength of Fillet Weld between Web-Flange Junction (kN/mm)

*corresponding capacity*

### For End Stiffeners

Size of Fillet Weld for End Stiffeners (mm)

*s2*

Strength of Fillet Weld of End Stiffeners (kN/mm)

*corresponding capacity*

### For Load Carrying Stiffeners

#### *Stiffener Under Concentrated Load-1:*

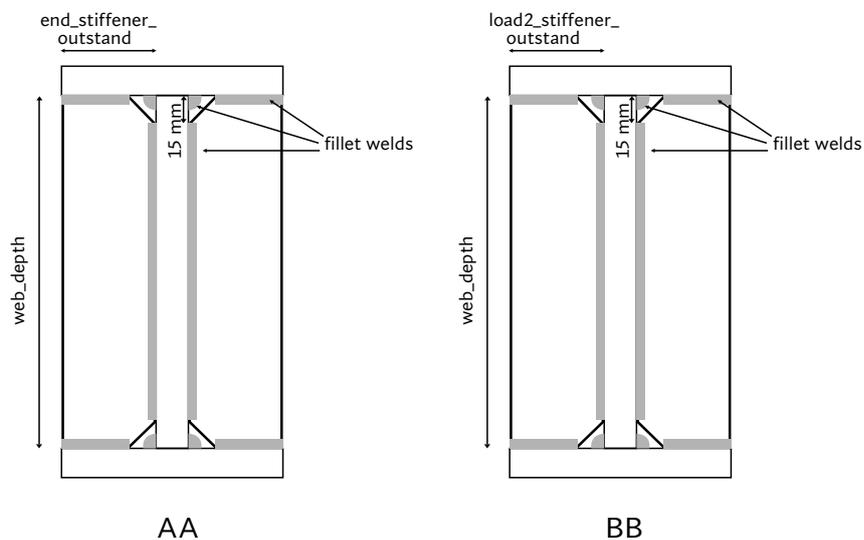
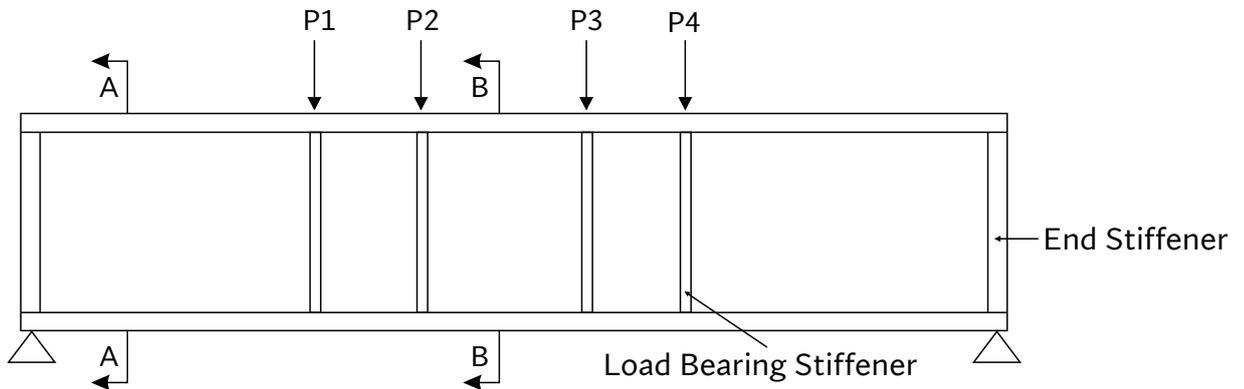
Size of Fillet Weld (mm)

*s3*

Strength of Fillet Weld (kN/mm)

*corresponding capacity*

*Do the same for stiffeners under other loads too.*



# Example-1

## WELDED PLATE GIRDER (UNSTIFFENED THICK WEB)

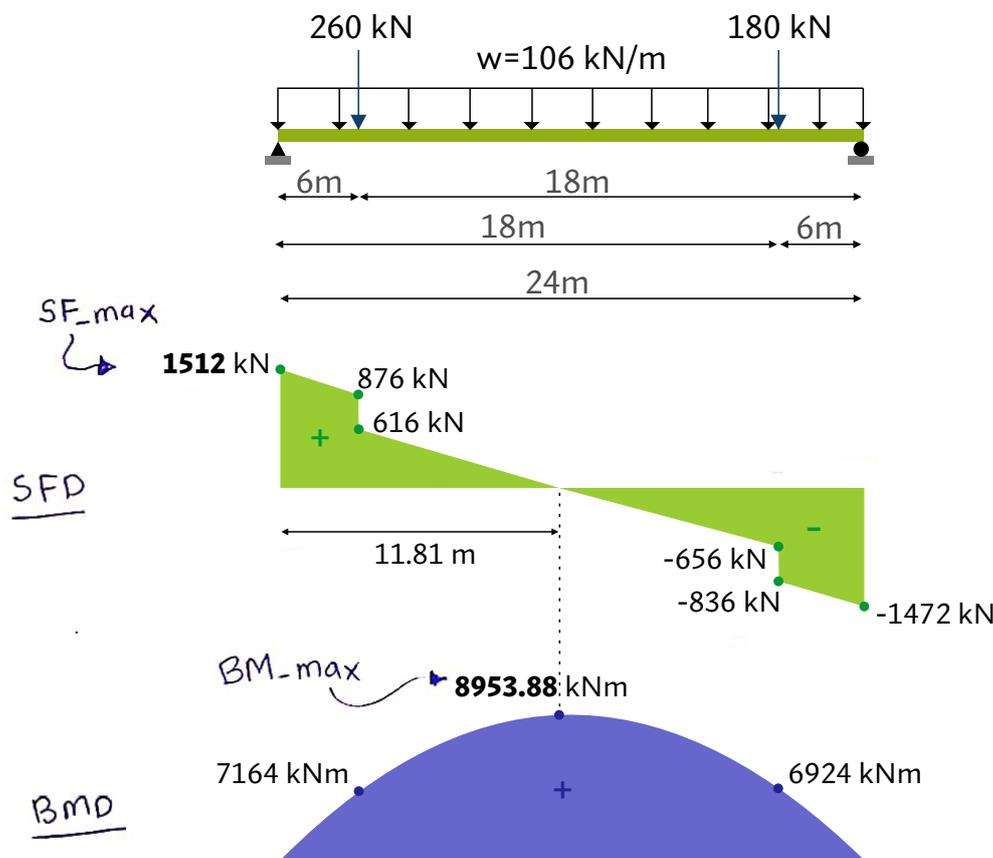
- span length (m) = 24
- Imposed factored UDL (kN/m) = 100
- Web type : unstiffened thick web
- Material yield stress = 250 MPa

CONCENTRATED LOADS:

- Factored load 1 (kN) = 260
- Distance from left (m) = 6
- Factored load 2 (kN) = 180
- Distance from left (m) = 18

### STEP 1: LOAD CALCULATION

- self weight =  $100 \times 24 / 400 = 6$  kN/m
- Total UDL (w) =  $100 + 6 = 106$  kN/m



$$\bullet \text{ SF (at } x=0) = \left( \frac{106 \times 24}{2} - 0 \right) + \left\{ \frac{260 \times 18}{24} \right\} + \left\{ \frac{180 \times 6}{24} \right\} = 1512$$

$$\bullet \text{ SF (at } x=18) = \left[ \frac{106 \times 24}{2} - 106(18) \right] + \left\{ \frac{-260 \times 6}{24} \right\} + \left\{ \frac{45}{-135} \right\} = -836$$

Point of max BM will lie at point of zero shear. Point of zero shear would lie between the two point loads, i.e., between  $x=6$  and  $x=18$ . The shear force equation for this section (b/w  $x=6$  &  $18$ ) is:

$$SF(6 < x < 18) = 1512 - 106x - 260$$

$$0 = 1512 - 106x - 260 \Rightarrow \boxed{x = 11.81 \text{ m}}$$

So, BM @  $x=11.81$  is calculated as:

$$BM(x=11.81) = \frac{106 \times 11.81 (24 - 11.81)}{2} + \left\{ \frac{260 \times 18 \times 11.81}{24} \right\} - 260(11.81 - 6) + \frac{180 \times 6 \times 11.81}{24}$$

$$BM_{\max} = 8953.88 \text{ kN}\cdot\text{m}$$

### STEP 2: PROPORTIONING OF WEB

- $\epsilon = \sqrt{250/250} = 1$

- Optimum depth of web =  $\left[ \frac{8953.88 \times 10^6 \times 200}{250} \right]^{0.33} = 1787.24 \approx 1780 \text{ mm}$   
 $\therefore \boxed{d = 1780 \text{ mm}}$

- Optimum thickness of web =  $\left[ \frac{8953.88 \times 10^6}{(200)^2 \times 250} \right]^{0.33} = 9.42 \approx 10 \text{ mm}$   
 $\therefore \boxed{t_w = 10 \text{ mm}}$

### STEP 3: PROPORTIONING OF FLANGE

- Flange area =  $\frac{BM_{\max} \times \gamma_{mo}}{f_y \times d} = \frac{8953.88 \times 10^6 \times 1.1}{250 \times 1780} = 22133.1$

- Flange breadth =  $0.3 \times 1780 = 534 \approx \boxed{540 \text{ mm}}$

- Flange thickness =  $\frac{22133.1}{540} = 40.9 \approx \boxed{45 \text{ mm}}$

#### STEP 4: CLASSIFICATION OF FLANGE

- Flange outstand =  $(540-10)/2 = 265 \text{ mm}$
- $\frac{b}{t_f} \rightarrow \frac{\text{outstand}}{\text{thickness}} = \frac{265}{45} = 5.8$  since its less than  $8.4 \epsilon$   
 $\therefore$  flange type = plastic

#### STEP 5: CLASSIFICATION OF WEB

- $\frac{\text{web depth}}{\text{web thickness}} = \frac{1780}{10} = 178$  since its greater than  $105 \epsilon$   
 $\therefore$  web type = slender

#### STEP 6: CALCULATE $Z_p$ and $Z_e$

- $Z_p = 2 \left[ \underbrace{b_f \cdot t_f}_{\text{area}} \left\{ \underbrace{\frac{d}{2} + \frac{t_f}{2}}_{\bar{y}} \right\} \right] = 2 \left[ 540 \times 45 \left\{ \frac{1780}{2} + \frac{45}{2} \right\} \right]$   
 $= 44347500 \text{ mm}^3$
- section <sup>(D)</sup> depth =  $1780 + 2(45) = 1870$
- $Z_e = \frac{I}{\bar{y}} = \frac{b_f D^3}{12} - \frac{2(\text{outstand})d^3}{12}$   
 $= \frac{2}{1870} \times \left\{ \frac{540 \times (1870)^3}{12} - \frac{(540-10)(1780)^3}{12} \right\} = 48315602.5 \text{ mm}^3$

#### STEP 7: CHECK FOR BENDING STRENGTH OF FLANGE

- $B_b = 1$   $\therefore$  flange type = plastic
- moment capacity =  $\frac{B_b \cdot f_y \cdot Z_p}{\gamma_{m0}} = \frac{250 \times 44347500 \times 10^{-6}}{1.1}$   
 $= 10078.97 \text{ KN}\cdot\text{m}$

since moment capacity ( $10078.97 \text{ KN}\cdot\text{m}$ ) is greater than the maximum bending moment ( $8953.88 \text{ KN}\cdot\text{m}$ ), hence the section is safe in bending. 

## STEP 8: CHECK FOR SHEAR STRENGTH OF WEB

• Elastic critical shear stress  $\tau_{cr,e} = \frac{k_v \cdot \pi^2 \cdot E}{12(1-\mu^2)(d/t_w)^2}$

$\therefore \tau_{cr,e} = \frac{5.35 \times \pi^2 \times 2 \times 10^5}{12(1-0.3^2)(178)^2} = 30.52$

•  $\lambda = \sqrt{250/\sqrt{3} \times 30.52} = 2.17$

$\therefore \lambda = 2.17 > 1.2 \therefore \tau_{b1} = \frac{f_y}{\sqrt{3} \lambda^2} = 250/\sqrt{3} (2.17)^2 = 30.65$

→ Shear stress corresponding to buckling

•  $V_{cr} = \tau_b \cdot d \cdot t_w = 30.65 \times 1780 \times 10^{-3} = 545.6 \text{ kN}$

→ Shear force corresponding to web buckling

$V_{cr} = 545.6 \text{ kN}$

since  $V_{cr} (545.6 \text{ kN}) < \text{Max shear force} (1512 \text{ kN})$ ; we shall increase web thickness by increments of 2mm & repeat from step-5 till here until  $V_{cr} > SF_{max}$ . 

Web thickness of 16mm satisfies the criteria. All the iterations and calculations have not been shown for brevity. Below is the summary of the result:

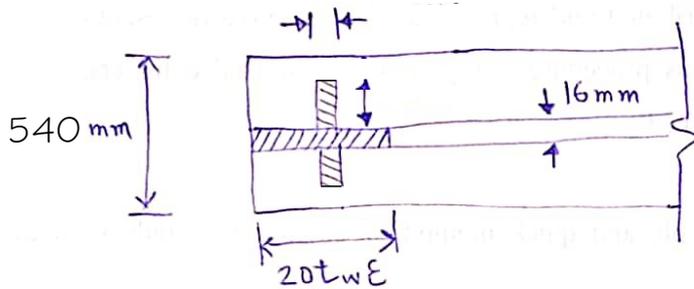
- web type = slender (unchanged) ... step-5
  - $Z_p$  = unchanged
  - section depth = unchanged
  - $I_e$  = 51331512.66 (changed) 6.24% ↑
  - $B_b$  = unchanged
  - moment capacity = unchanged
  - $\tau_{cr,e}$  = 78.137
  - $\lambda$  = 1.359
  - $\tau_b$  = 78.15
  - $V_{cr}$  = 2225.71 (307.9% ↑) Safe in shear
  - <sup>new</sup> web thickness → 16 (60% ↑)
- } step-6
- } step-7
- } step-8

## STEP-9: CHECK FOR LOCAL CAPACITY OF WEB

• local capacity of web =  $2.5 \times t_f \times t_w \times f_y / \gamma_{m0} = \frac{2.5 \times 45 \times 16 \times 250 \times 10^{-3}}{1.1} = \boxed{409 \text{ kN}} < 1512 \text{ kN}$  !

End bearing stiffeners are required since the local capacity of the web at its connection to the flange is less than the reaction.

## STEP-10: DESIGN OF END BEARING STIFFENER



- Effective area = area of shaded region =  $(20 \times 16 \times 16) + 2(112 \times 8) = 6912 \text{ mm}^2$
- $m_{oi} = \frac{20 \times 16 \times (16)^3}{12} + \frac{8 \times (2 \times 112)^3}{12} = 7602176 \text{ mm}^4$
- $r = \sqrt{m_{oi} / 6912} = 33.16$
- $\lambda = 0.7 \times 1780 / 33.16 = 37.57$
- $f_{cd} = 201.15$
- Buckling resistance =  $\text{eff. area} \times f_{cd} \times 10^{-3} = 1390.41 \text{ kN} < 1512 \text{ kN (SF}_{\text{max}})$  !

Hence increase the thickness by 2mm (new thickness = 10mm)

- Revised eff area = 7920
- Revised  $\lambda = 25.84$
- Revised  $m_{oi} = 18402560$
- Revised  $f_{cd} = 216.4$
- Revised  $r = 48.2$
- Buckling Resistance = 1713.95 kN

✓ Since Buckling Resistance (1713.95 kN) > 1512 kN (SF<sub>max</sub>), the stiffener is safe in buckling.

• bearing capacity =  $\frac{2(b_s - 15)t_w \times f_y}{0.8 \times 1.1} = \frac{2 \times (140 - 15) \times 10 \times 250}{0.8 \times 1.1} \times 10^{-3} = 710.22 \text{ kN} < 1512 \text{ kN (SF}_{\text{max}})$  !

So increase thickness by increments of 2mm & repeat this step until the check is satisfied.

Thicknesses of 12 and 14 mm were found to be insufficient. Thickness of 16 mm satisfies the Bearing check. So all the revised values are:

- Revised eff area = 12288
  - Revised  $\lambda = 12.6$
  - Revised  $m_o = 119996416$
  - Revised  $f_{cd} = 224.97$
  - Revised  $r = 98.82$
  - Buckling Resistance =  $2764.45 \text{ kN}$
  - Revised Bearing Resistance =  $1900 \text{ kN} > 1512 \text{ kN} (SF_{\max})$
- Hence the stiffener is now safe in Bearing. ✓

### STEP-11: DESIGN OF LOAD CARRYING STIFFENERS

since local capacity of web (409 kN) is greater than the largest concentrated load (260 kN), hence no load carrying stiffeners are required. ✓

### STEP-12: DESIGN OF WELD AT WEB-FLANGE JUNCTION

- section depth = 1870 mm
  - $I_z = \frac{540 \times 1870^3}{12} - \frac{(540-10)(1780)^3}{12} = 4.5175 \times 10^{10}$
  - minimum weld strength required:
- $$q_w = \frac{1512 \times 540 \times 45 \times 1870}{2 \times 2 \times 4.5175 \times 10^{10}} = 0.380 \text{ kN/mm}$$

Provide a pair of 4mm fillet welds. (Table 1 of algorithm)

Design capacity =  $0.442 \text{ kN/mm} > 0.380 \text{ kN/mm} \therefore \text{SAFE}$  ✓

### STEP-13: DESIGN OF WELD FOR END-BEARING STIFFENER

- $q_1 = \frac{t_w^2}{5 \times b_s} = \frac{16^2}{5 \times 262} = 0.195$
- $q_2 = \frac{(SF_{\max} - \text{local capacity of web}) / 2}{\text{depth of web} - 30} = \frac{(1512 - 409) / 2}{1780 - 30} = 0.315$
- $q = q_1 + q_2 = 0.195 + 0.315 = 0.51 \text{ kN/mm}$ .

Provide a pair of 5mm fillet welds.

Design capacity =  $0.553 \text{ kN/mm} > 0.51 \text{ kN/mm} \therefore \text{SAFE}$

## OUTPUT DOCK:

### Load Calculation

Maximum Shear Force (kN)	1512
Maximum Bending Moment (kNm)	8953.88

### Web Details

Web Thickness (mm)	10
Web Depth (mm)	1780
Local Capacity of Web (kN)	255.68
Shear Strength of Web (kN)	767.17
Classification of Web	<i>slender</i>

### Flange Details

Flange Breadth (mm)	540
Flange Thickness (mm)	45
Bending Strength (Moment Capacity) of Flange (kNm)	10078.97
Classification of Flange	<i>plastic</i>

### End Bearing Stiffener Details

Thickness (mm)	16
Depth (mm)	1780
Outstand (mm)	224
Buckling Resistance (kN)	2764.45
Bearing Resistance (kN)	1900

### Fillet Weld Details

#### At Web-Flange Junction

Size of Fillet Weld between Web-Flange Junction (mm)	4
Strength of Fillet Weld between Web-Flange Junction (kN/mm)	0.442

#### For End Stiffeners

Size of Fillet Weld for End Stiffeners (mm)	5
Strength of Fillet Weld of End Stiffeners (kN/mm)	0.553

# ALGORITHM: WELDED PLATE GIRDER (STIFFENED THIN WEB)

## INPUT DOCK:

### Girder Details

Span Length (m)\*  L

Imposed Factored UDL\* (kN/m) Excluding Self Weight  fact\_udl

Concentrated Loads\*

*If "Yes" then ask "Number of loads" and the following details according to the number of loads specified. (max 4)*

Factored Load 1 (kN)\*  P1

Load 1 distance from left support (m)\*  a1

Factored Load 2 (kN)\*  P2

Load 2 distance from left support (m)\*  a2

Factored Load 3 (kN)\*  P3

Load 3 distance from left support (m)\*  a3

Factored Load 4 (kN)\*  P4

Load 4 distance from left support (m)\*  a4

Web Type

Stiffener spacing-to-web-depth (c/d) ratio\*  c\_by\_d

Material Yield Stress (MPa)\*  fy

(The final c/d ratio may be slightly lower than this in order to provide equally spaced intermediate transverse stiffeners)

**The plate girder shall be assumed as simply supported and laterally restrained throughout.**

## STEP 1: LOAD CALCULATION

$$\text{self\_wt} = \frac{\text{fact\_udl} \times L}{400}$$

kN/m ←

$$w = \text{fact\_udl} + \text{self\_wt}$$

↳ kN/m

$$b_1 = L - a_1$$

$$b_2 = L - a_2$$

$$b_3 = L - a_3$$

$$b_4 = L - a_4$$

- ◆ Calculate Shear Force at  $x=0$ , at  $x=L$  and under each concentrated load (at  $x=a_1$ , at  $x=a_2$ , at  $x=a_3$ , at  $x=a_4$ ) using the below formula:

**SF at any section 'x' metres from left support is given by:**

$$\text{SF}_x = \left( \frac{wL}{2} - wx \right) + \left\{ \begin{array}{l} P_1 b_1 / L \quad \dots \text{if } x < a_1 \\ -P_1 a_1 / L \quad \dots \text{if } x > a_1 \\ \frac{P_1 b_1}{L} \text{ or } \frac{-P_1 a_1}{L} \quad \dots \text{if } x = a_1 \end{array} \right\} + \left\{ \begin{array}{l} P_2 b_2 / L \quad \dots \text{if } x < a_2 \\ -P_2 a_2 / L \quad \dots \text{if } x > a_2 \\ \frac{P_2 b_2}{L} \text{ or } \frac{-P_2 a_2}{L} \quad \dots \text{if } x = a_2 \end{array} \right\}$$

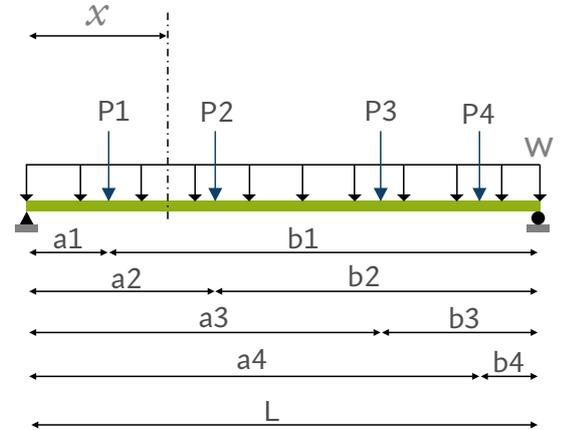
*whichever is greater in magnitude*                      *whichever is greater in magnitude*

$$+ \left\{ \begin{array}{l} P_3 b_3 / L \quad \dots \text{if } x < a_3 \\ -P_3 a_3 / L \quad \dots \text{if } x > a_3 \\ \frac{P_3 b_3}{L} \text{ or } \frac{-P_3 a_3}{L} \quad \dots \text{if } x = a_3 \end{array} \right\} + \left\{ \begin{array}{l} P_4 b_4 / L \quad \dots \text{if } x < a_4 \\ -P_4 a_4 / L \quad \dots \text{if } x > a_4 \\ \frac{P_4 b_4}{L} \text{ or } \frac{-P_4 a_4}{L} \quad \dots \text{if } x = a_4 \end{array} \right\}$$

*whichever is greater in magnitude*                      *whichever is greater in magnitude*

- ◆ Calculate Maximum Shear Force (**SF<sub>max</sub>**) using the above formula. It will be at either  $x=0$  or at  $x=L$ .

## References / Remarks



- ◆ Bending Moment at any section 'x' metres from left support is given by:

$$\begin{aligned}
 BM_x = & \frac{wx(L-x)}{2} + \left\{ \begin{array}{l} \frac{P1 \ b1 \ x}{L} \quad \dots \text{if } x \leq a1 \\ \frac{P1 \ b1 \ x}{L} - P1 (x-a1) \quad \dots \text{if } x > a1 \end{array} \right\} \\
 & + \left\{ \begin{array}{l} \frac{P2 \ b2 \ x}{L} \quad \dots \text{if } x \leq a2 \\ \frac{P2 \ b2 \ x}{L} - P2 (x-a2) \quad \dots \text{if } x > a2 \end{array} \right\} + \left\{ \begin{array}{l} \frac{P3 \ b3 \ x}{L} \quad \dots \text{if } x \leq a3 \\ \frac{P3 \ b3 \ x}{L} - P3 (x-a3) \quad \dots \text{if } x > a3 \end{array} \right\} \\
 & + \left\{ \begin{array}{l} \frac{P4 \ b4 \ x}{L} \quad \dots \text{if } x \leq a4 \\ \frac{P4 \ b4 \ x}{L} - P4 (x-a4) \quad \dots \text{if } x > a4 \end{array} \right\}
 \end{aligned}$$

- ◆ Calculate Maximum Bending Moment (**BM<sub>max</sub>**) using the above formula.

## STEP 2: PROPORTIONING OF WEB

- ◆  $\epsilon = \sqrt{250 / f_y}$  ...Clause 8.4.2.1

- ◆ Optimum depth of web (web\_depth):

$$\text{web\_depth} = (BM_{\max} \times 10^6 \times 200 \times \epsilon / f_y)^{0.33}$$

*(mm)*

*Ignore the post-decimal part & round it off to the nearest lower multiple of 10.*

- ◆ Optimum thickness of web (web\_thickness):

$$\text{web\_thickness} = \left[ \frac{BM_{\max} \times 10^6}{[200 \times \epsilon]^2 \times f_y} \right]^{0.33}$$

*(mm)* ...Clause 8.6.1.1

*Ignore the post-decimal part & round it off to the nearest higher multiple of 2.*

*Minimum value of web\_thickness = 8mm*

### STEP 3: PROPORTIONING OF FLANGE

$$\text{flange\_area} = \frac{\text{BM\_max} \times 10^6 \times 1.1}{f_y \times \text{web\_depth}}$$

(mm<sup>2</sup>)

$$\text{flange\_breadth} = 0.3 \times \text{web\_depth}$$

(mm)

*Ignore the post-decimal part & round it off to the nearest higher multiple of 10.*

$$\text{flange\_thickness} = \text{flange\_area} / \text{flange\_breadth}$$

(mm)

*Ignore the post-decimal part & round it off to the nearest higher multiple of 5.  
Minimum value of flange\_thickness = 8mm.*

### STEP 4: CLASSIFICATION OF FLANGE

$$\text{flange\_outstand} = (\text{flange\_breadth} - \text{web\_thickness}) / 2$$

(mm)

Calculate: flange\_outstand / flange\_thickness

$$\text{if } \frac{\text{flange\_outstand}}{\text{flange\_thickness}} \leq 8.4 \times \text{epsilon} \text{ then flange\_type} = \text{plastic}$$

$$\text{if } 8.4 \times \text{epsilon} < \frac{\text{flange\_outstand}}{\text{flange\_thickness}} \leq 9.4 \times \text{epsilon} \text{ then flange\_type} = \text{compact}$$

$$\text{if } 9.4 \times \text{epsilon} < \frac{\text{flange\_outstand}}{\text{flange\_thickness}} \leq 13.6 \times \text{epsilon} \text{ then flange\_type} = \text{semi\_compact}$$

$$\text{if } \frac{\text{flange\_outstand}}{\text{flange\_thickness}} > 13.6 \times \text{epsilon} \text{ then flange\_type} = \text{slender}$$

### STEP 5: CLASSIFICATION OF WEB

...Table 2 of the code

$$\text{if } \frac{\text{web\_depth}}{\text{web\_thickness}} \leq 84 \times \text{epsilon} \text{ then web\_type} = \text{plastic}$$

$$\text{if } 84 \times \text{epsilon} < \frac{\text{web\_depth}}{\text{web\_thickness}} \leq 105 \times \text{epsilon} \text{ then web\_type} = \text{compact}$$

$$\text{if } \frac{\text{web\_depth}}{\text{web\_thickness}} > 105 \times \text{epsilon} \text{ then web\_type} = \text{slender}$$

## STEP 6: CALCULATE $Z_p$ AND $Z_e$

- ◆  $Z_p = 2 \left[ \text{flange\_breadth} \times \text{flange\_thickness} \times \left\{ \frac{\text{web\_depth}}{2} + \frac{\text{flange\_thickness}}{2} \right\} \right]$   
( $\text{mm}^3$ )
- ◆  $\text{section\_depth} = \text{web\_depth} + 2(\text{flange\_thickness})$   
( $\text{mm}$ )
- ◆  $Z_e = \frac{2}{\text{section\_depth}} \times \left\{ \frac{\text{flange\_breadth} \times (\text{section\_depth})^3}{12} - \frac{(\text{flange\_breadth} - \text{web\_thickness}) (\text{web\_depth})^3}{12} \right\}$   
( $\text{mm}^3$ )

## STEP 7: CHECK FOR BENDING STRENGTH OF FLANGE

...Clause 8.2.1.2

- ◆  $B_b = 1$  ...if *flange\_type* = "plastic" or "compact"  
 $B_b = Z_e / Z_p$  ...if *flange\_type* = "semi\_compact" or "slender"
- ◆  $\text{moment\_capacity} = B_b \times f_y \times Z_p \times 10^{-6} / 1.1$   
( $\text{KN m}$ )  
*if:*  $\text{moment\_capacity} > \text{BM\_max}$   
*print* "section is safe in bending" and proceed to the next step.  
*else:* increase **flange\_thickness** by increments of 2 mm and repeat from Step-4 till here until **moment capacity** > **BM\_max**.

## STEP 8: CHECK FOR SHEAR STRENGTH OF WEB

...Clause 8.4.2.2

...Clause 8.6.1

- ◆ Calculate: **spacing** =  $c_{by\_d} \times \text{web\_depth}$   
( $\text{mm}$ )
- ◆ Calculate: **no\_of\_panels** =  $L \times 1000 / \text{spacing}$   
*Round it off to the nearest higher integer*
- ◆ Re-Calculate: **spacing** =  $L \times 1000 / \text{no\_of\_panels}$
- ◆ Re-Calculate: **c\_by\_d** =  $\text{spacing} / \text{web\_depth}$
- ◆ *If* **c\_by\_d**  $\geq 1$ : *then* **kv** =  $5.35 + \frac{4}{(c_{by\_d})^2}$
- ◆ *else if* **c\_by\_d**  $< 1$ : *then* **kv** =  $4 + \frac{5.35}{(c_{by\_d})^2}$
- ◆  $\text{tau\_cr\_e} = \frac{\text{kv} \times \pi^2 \times 2 \times 10^5}{12 (1 - 0.3^2) (\text{web\_depth} / \text{web\_thickness})^2}$   
( $\text{N} / \text{mm}^2$ )

$$\lambda_1 = \sqrt{\frac{f_y}{\sqrt{3} \times \tau_{cr_e}}}$$

◆ if:  $\lambda_1 \leq 0.8$  then:  $\tau_{b_1} = f_y / \sqrt{3}$

if:  $0.8 < \lambda_1 < 1.2$  then:  $\tau_{b_1} = [1 - (\lambda_1 - 0.8)] (f_y / \sqrt{3})$

if:  $\lambda_1 \geq 1.2$  then:  $\tau_{b_1} = \frac{f_y}{\sqrt{3} [\lambda_1]^2}$

◆  $v_{cr} = \tau_{b_1} \times \text{web\_depth} \times \text{web\_thickness} \times 10^{-3}$   
(kN)

↓ absolute value of max Shear Force

◆ if:  $v_{cr} > |SF_{max}|$

then: change the **web\_thickness** to **8 mm** and repeat from **Step-5** till here.

◆ if:  $v_{cr} > |SF_{max}|$

then print: “The web is stocky enough to need any intermediate transverse stiffeners even at the least permissible value of web thickness (8mm). So based on the input loads, we recommend you to design this Plate Girder as an Unstiffened Girder. We have a separate module for it.” **and terminate the algorithm here.**

## STEP 8-B: CHECK FOR ADEQUACY OF END-PANEL

...Shear & Moment Capacity Checks  
( $V_n > R_{tf}$  ;  $M_q > M_{tf}$ )

### Check for Shear Capacity:

◆  $v_{dp} = \text{web\_depth} \times \text{web\_thickness} \times f_y \times 10^{-3} / \sqrt{3}$   
(kN)

◆  $h_q = 1.25 \times v_{dp} \left[ 1 - \frac{v_{cr}}{v_{dp}} \right]^{0.5}$   
(kN)

...  $h_q$  is the Longitudinal Shear

◆  $r_{tf} = h_q / 2$   
(kN)

◆  $v_n = \frac{\text{web\_depth} \times \text{web\_thickness} \times f_y \times 10^{-3}}{\sqrt{3} \times 1.1}$   
(kN)

...  $v_n$  is the Nominal Shear Capacity

if:  $v_n < r_{tf}$  then: increase web\_thickness by 2mm and repeat from **Step-5** till here.

if:  $v_n > r_{tf}$  then: print “End Panel is safe in shear” and proceed ahead.

### Check for Moment Capacity:

◆  $m_{tf} = h_q \times \text{web\_depth} \times 10^{-3} / 10$   
(kNm)

◆  $\text{moi\_panel} = \frac{\text{web\_thickness} \times (\text{spacing})^3}{12}$   
( $\text{mm}^4$ )

◆  $\text{mq} = \frac{\text{moi\_panel} \times f_y \times 10^{-6}}{(\text{spacing} / 2) \times 1.1}$   
( $\text{kNm}$ )

*if:*  $\text{mq} < \text{mtf}$  *then:* increase web\_thickness by 2mm and repeat from **Step-5** till here.

*if:*  $\text{mq} > \text{mtf}$  *then:* print “End Panel is safe in bending” and proceed ahead.

## STEP 9: CHECK FOR LOCAL CAPACITY OF WEB

...Clause 8.7.4

◆  $\text{local\_capacity\_web} = 2.5 \times \text{flange\_thickness} \times \text{web\_thickness} \times f_y \times 10^{-3} / 1.1$   
( $\text{kN}$ )

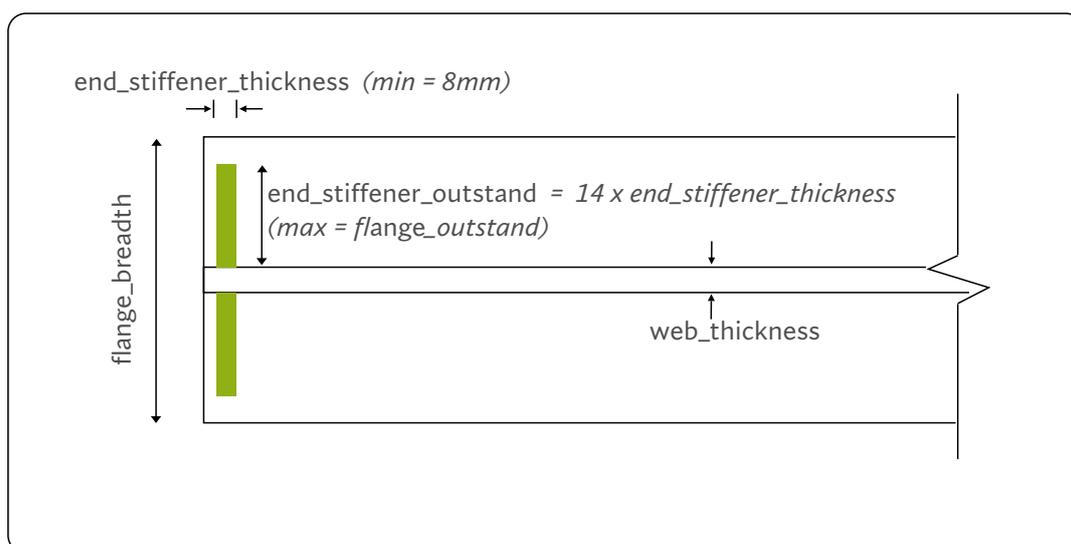
*if:*  $\text{local\_capacity\_web} > |SF_{\text{max}}|$

*print:* “End bearing stiffeners are not required since the local capacity of the web at its connection to the flange is greater than the reaction.” & directly go to **step-11**.

*else if:*  $\text{local\_capacity\_web} < |SF_{\text{max}}|$

*print:* “End bearing stiffeners are required since the local capacity of the web at its connection to the flange is less than the reaction.” & proceed to **next step**.

## STEP 10: DESIGN OF END BEARING STIFFENER



**Note:** If the loading is symmetrical, provide the same stiffener design on both the ends of the plate girder since the shear force will be same at both the ends and it will be the maximum ( $SF_{\text{max}}$ ).

In case of an unsymmetrical loading, only one of the end-support will have the max shear, the other being comparatively less. So in such a case, to achieve economy in design, this step needs to be performed at both the ends of the plate girder taking into account their respective shear forces.

## TOTAL AND NET COMPRESSIVE LOAD CALCULATION:

### Total compressive load on the end-stiffener (fc):

$$\text{fc} = \text{SF}_{\text{max}} + \frac{\text{mtf}}{\text{spacing} \times 10^{-3}}$$

(kN)

### Net compressive load on the end-stiffener (fc\_net):

$$\text{fc}_{\text{net}} = \text{fc} - \text{local\_capacity\_web}$$

(kN)

## MINIMUM AREA REQUIREMENT:

...Clause 8.7.5.2

$$\text{area}_{\text{min}} = 0.8 \times \text{fc} \times 1.1 \times 10^3 / \text{fy}$$

(mm<sup>2</sup>)

...Total minimum area for the pair of stiffeners

## DIMENSIONING:

$$\text{Initially assume: end\_stiffener\_thickness} = 8 \text{ mm}$$

$$\text{end\_stiffener\_outstand} = 14 \times \text{end\_stiffener\_thickness} \times \text{epsilon}$$

↑ (Max permissible value = **flange\_outstand**. Limit it at **flange\_outstand** if it exceeds)

$$\text{area\_end\_stiffener} = 2 \times \text{end\_stiffener\_outstand} \times \text{end\_stiffener\_thickness}$$

↑ (Total provided area for the pair of stiffeners)

*if:* area\_end\_stiffener < area\_min

*then:* increase end\_stiffener\_thickness by an increment of **2** mm and redo the dimensioning.

*if:* area\_end\_stiffener > area\_min *then:* proceed ahead.

## Buckling Check:

...(Buckling Resistance should be greater than |SFx|)

Note: Here while performing buckling check, we shall consider only the core area of the end-stiffener, and not the effective area.

$$\text{moi} = \frac{\text{end\_stiffener\_thickness} \times (2 \times \text{end\_stiffener\_outstand})^3}{12}$$

↑ (Total moment of inertia of the pair of stiffeners)

$$r = \sqrt{\text{moi} / \text{area\_end\_stiffener}}$$

◆  $\lambda_2 = 0.7 \times \text{web\_depth} / r$

...Clause 8.7.1.5

◆ Calculate **fcd** from pg 42 - table 9c of IS 800:2007 through interpolation.

◆  $\text{buckling\_resistance} = \text{area\_end\_stiffener} \times \text{fcd} \times 10^{-3}$

↑ (Total buckling resistance of the pair of stiffeners)

*if:*  $\text{buckling\_resistance} < |SF_x|$

*then:* increase **end\_stiffener\_thickness** by increment of 2 mm and repeat this step.

...  $|SF_x|$  is the absolute value of Shear Force at the location of the end-bearing stiffener.

### **Bearing Check:**

...(Bearing Resistance should be greater Net compressive load)

◆  $\text{bearing\_capacity} =$

$$\frac{2 (\text{end\_stiffener\_outstand} - 15) \times \text{end\_stiffener\_thickness} \times f_y \times 10^{-3}}{0.8 \times 1.1}$$

*if:*  $\text{bearing\_capacity} < f_{c\_net}$

*then:* increase **end\_stiffener\_thickness** by increment of 2 mm and repeat this step.

*if:*  $\text{bearing\_capacity} > f_{c\_net}$

*then:* print “end stiffener is safe in bearing” and proceed ahead.

*Note: Both the end-stiffeners of the pair shall have same dimensions.*

## **STEP 11: DESIGN OF LOAD CARRYING STIFFENERS**

...Clause 8.7.3

*Perform this step only if user specifies Concentrated Loads in the input dock.*

*if:*  $\text{local\_capacity\_web} > \text{largest of } \{P1, P2, P3, P4\}$

*then:* print “No load carrying stiffeners are required since the local capacity of the web at the position of concentrated loads is greater than the loads.”

and directly go to the **next step (step-12)**.

*if:* local\_capacity\_web < **P1**

*then:*

print "Load carrying stiffener is required below concentrated load 1"

### **step 11.1:**

#### **DIMENSIONING:**

- ◆ *Initially assume:* load1\_stiffener\_thickness = **8** mm
- ◆ load1\_stiffener\_outstand = 14 × load1\_stiffener\_thickness × epsilon  
↑ (Max permissible value = **flange\_outstand**. Limit it at flange\_outstand if it exceeds)

#### **Buckling Check:**

- ◆ Calculate Effective area as: ...Total effective area for the pair of stiffeners  
eff\_area\_2 = (40 × web\_thickness × epsilon × web\_thickness)  
+ 2(load1\_stiffener\_outstand × load1\_stiffener\_thickness)
  - ◆ 
$$moi_2 = \frac{40 \times \text{web\_thickness} \times \text{epsilon} \times (\text{web\_thickness})^3}{12} + \frac{\text{load1\_stiffener\_thickness} \times (2 \times \text{load1\_stiffener\_outstand})^3}{12}$$
  - ◆  $r_2 = \sqrt{moi_2 / \text{eff\_area}_2}$
  - ◆  $\text{lamda}_3 = 0.7 \times \text{web\_depth} / r_2$
  - ◆ Calculate **fcd\_2** from pg 42 - table 9c of IS 800:2007 through interpolation.
  - ◆ buckling\_resistance\_2 = eff\_area\_2 × fcd\_2 × 10<sup>-3</sup>
- if:* buckling\_resistance\_2 < P1 ...Clause 8.7.5.1  
*then:* increase **load1\_stiffener\_thickness** by increment of **2** mm and repeat step 11.1
- if:* buckling\_resistance\_2 > P1 *then:* proceed ahead.

#### **Bearing Check:**

- ◆ bearing\_capacity\_2 =  
$$\frac{2 (\text{load1\_stiffener\_outstand} - 15) \times \text{load1\_stiffener\_thickness} \times f_y \times 10^{-3}}{0.8 \times 1.1}$$
- if:* bearing\_capacity\_2 < P1 ...Clause 8.7.5.2  
*then:* increase **load1\_stiffener\_thickness** by increment of 2 mm and repeat step 11.1

*Note: Provide the stiffener on both the sides of the web.*

*if:* local\_capacity\_web < **P2**

*then:*

print "Load carrying stiffener is required below concentrated load 2"

### **step 11.2:**

#### **DIMENSIONING:**

- ◆ *Initially assume:* load2\_stiffener\_thickness = **8** mm
- ◆ load2\_stiffener\_outstand = 14 × load2\_stiffener\_thickness × epsilon  
↑ (Max permissible value = **flange\_outstand**. Limit it at flange\_outstand if it exceeds)

#### **Buckling Check:**

- ◆ Calculate Effective area as: ...Total effective area for the pair of stiffeners  
eff\_area\_3 = (40 × web\_thickness × epsilon × web\_thickness)  
+ 2(load2\_stiffener\_outstand × load2\_stiffener\_thickness)
  - ◆ 
$$moi_3 = \frac{40 \times \text{web\_thickness} \times \text{epsilon} \times (\text{web\_thickness})^3}{12} + \frac{\text{load2\_stiffener\_thickness} \times (2 \times \text{load2\_stiffener\_outstand})^3}{12}$$
  - ◆  $r_3 = \sqrt{moi_3 / \text{eff\_area}_3}$
  - ◆ lamda\_4 = 0.7 × web\_depth / r\_3
  - ◆ Calculate **fcd\_3** from pg 42 - table 9c of IS 800:2007 through interpolation.
  - ◆ buckling\_resistance\_3 = eff\_area\_3 × fcd\_3 × 10<sup>-3</sup>
- if:* buckling\_resistance\_3 < P2 ...Clause 8.7.5.1  
*then:* increase **load2\_stiffener\_thickness** by increment of **2** mm and repeat step 11.2
- if:* buckling\_resistance\_3 > P2 *then:* proceed ahead.

#### **Bearing Check:**

- ◆ bearing\_capacity\_3 =  
$$\frac{2 (\text{load2\_stiffener\_outstand} - 15) \times \text{load2\_stiffener\_thickness} \times f_y \times 10^{-3}}{0.8 \times 1.1}$$
- if:* bearing\_capacity\_3 < P2 ...Clause 8.7.5.2  
*then:* increase **load2\_stiffener\_thickness** by increment of 2 mm and repeat step 11.2

*Note: Provide the stiffener on both the sides of the web.*

*if:* local\_capacity\_web < **P3**

*then:*

print "Load carrying stiffener is required below concentrated load 3"

### **step 11.3:**

#### **DIMENSIONING:**

- ◆ *Initially assume:* load3\_stiffener\_thickness = **8** mm
- ◆ load3\_stiffener\_outstand = 14 × load3\_stiffener\_thickness × epsilon  
↑ (Max permissible value = **flange\_outstand**. Limit it at flange\_outstand if it exceeds)

#### **Buckling Check:**

- ◆ Calculate Effective area as: ...Total effective area for the pair of stiffeners  
eff\_area\_4 = (40 × web\_thickness × epsilon × web\_thickness)  
+ 2(load3\_stiffener\_outstand × load3\_stiffener\_thickness)
  - ◆ 
$$moi_4 = \frac{40 \times \text{web\_thickness} \times \text{epsilon} \times (\text{web\_thickness})^3}{12} + \frac{\text{load3\_stiffener\_thickness} \times (2 \times \text{load3\_stiffener\_outstand})^3}{12}$$
  - ◆  $r_4 = \sqrt{moi_4 / \text{eff\_area}_4}$
  - ◆  $\text{lamda}_5 = 0.7 \times \text{web\_depth} / r_4$
  - ◆ Calculate **fcd\_4** from pg 42 - table 9c of IS 800:2007 through interpolation.
  - ◆ buckling\_resistance\_4 = eff\_area\_4 × fcd\_4 × 10<sup>-3</sup>
- if:* buckling\_resistance\_4 < P3 ...Clause 8.7.5.1  
*then:* increase **load3\_stiffener\_thickness** by increment of **2** mm and repeat step 11.3
- if:* buckling\_resistance\_4 > P3 *then:* proceed ahead.

#### **Bearing Check:**

- ◆ bearing\_capacity\_4 = 
$$\frac{2 (\text{load3\_stiffener\_outstand} - 15) \times \text{load3\_stiffener\_thickness} \times f_y \times 10^{-3}}{0.8 \times 1.1}$$
- if:* bearing\_capacity\_4 < P3 ...Clause 8.7.5.2  
*then:* increase **load3\_stiffener\_thickness** by increment of 2 mm and repeat step 11.3

*Note: Provide the stiffener on both the sides of the web.*

*if:* local\_capacity\_web < **P4**

*then:*

print "Load carrying stiffener is required below concentrated load 4"

### **step 11.4:**

#### **DIMENSIONING:**

- ◆ *Initially assume:* load4\_stiffener\_thickness = **8** mm
- ◆ load4\_stiffener\_outstand = 14 × load4\_stiffener\_thickness × epsilon  
↑ (Max permissible value = **flange\_outstand**. Limit it at flange\_outstand if it exceeds)

#### **Buckling Check:**

- ◆ Calculate Effective area as: ...Total effective area for the pair of stiffeners  
eff\_area\_5 = (40 × web\_thickness × epsilon × web\_thickness)  
+ 2(load4\_stiffener\_outstand × load4\_stiffener\_thickness)
  - ◆ 
$$moi_5 = \frac{40 \times \text{web\_thickness} \times \text{epsilon} \times (\text{web\_thickness})^3}{12} + \frac{\text{load4\_stiffener\_thickness} \times (2 \times \text{load4\_stiffener\_outstand})^3}{12}$$
  - ◆  $r_5 = \sqrt{moi_5 / \text{eff\_area}_5}$
  - ◆  $\text{lamda}_6 = 0.7 \times \text{web\_depth} / r_5$
  - ◆ Calculate **fcd\_5** from pg 42 - table 9c of IS 800:2007 through interpolation.
  - ◆ buckling\_resistance\_5 = eff\_area\_5 × fcd\_5 × 10<sup>-3</sup>
- if:* buckling\_resistance\_5 < P4 ...Clause 8.7.5.1  
*then:* increase **load4\_stiffener\_thickness** by increment of **2** mm and repeat step 11.4
- if:* buckling\_resistance\_5 > P4 *then:* proceed ahead.

#### **Bearing Check:**

- ◆ bearing\_capacity\_5 =  
$$\frac{2 (\text{load4\_stiffener\_outstand} - 15) \times \text{load4\_stiffener\_thickness} \times f_y \times 10^{-3}}{0.8 \times 1.1}$$
- if:* bearing\_capacity\_5 < P4 ...Clause 8.7.5.2  
*then:* increase **load4\_stiffener\_thickness** by increment of 2 mm and repeat step 11.4

*Note: Provide the stiffener on both the sides of the web.*

## STEP 12: DESIGN OF INTERMEDIATE TRANSVERSE STIFFENERS

Note: Follow this same procedure for the design of all the Intermediate Transverse Stiffeners.  
For brevity, those steps have not been shown.

### MINIMUM MOMENT OF INERTIA REQUIREMENT FOR THE PAIR: ...Clause 8.7.2.4

- ◆ if:  $c_{by\_d} \geq \sqrt{2}$  then: **moi\_min** =  $0.75 \times \text{web\_depth} \times (\text{web\_thickness})^3$
- else if:  $c_{by\_d} < \sqrt{2}$  then: **moi\_min** =  $1.5 \times (\text{web\_depth})^3 \times (\text{web\_thickness})^3 / (\text{spacing})^2$

### DIMENSIONING:

- ◆ Initially assume: **int\_stiffener\_thickness** = 8 mm
- ◆ **int\_stiffener\_outstand** =  $14 \times \text{int\_stiffener\_thickness} \times \text{epsilon}$   
↑ (Max permissible value = **flange\_outstand**. Limit it at **flange\_outstand** if it exceeds)
- ◆ **moi\_int\_stiffener** =  $\text{int\_stiffener\_thickness} \times (2 \times \text{int\_stiffener\_outstand})^3 / 12$   
(moi of the pair considering the stiffener area only)
- if: **moi\_end\_stiffener** < **moi\_min**  
then: increase **int\_stiffener\_thickness** by increment of 2 mm and redo the dimensioning.
- if: **moi\_end\_stiffener** > **moi\_min** then: proceed ahead.

### Buckling Check:

... Considering the effective area

- ◆ Calculate Effective area as:  
 $\text{eff\_area}_6 = (40 \times \text{web\_thickness} \times \text{epsilon} \times \text{web\_thickness}) + (2 \times \text{int\_stiffener\_outstand} \times \text{int\_stiffener\_thickness})$
- ◆  $\text{moi\_int\_eff} = \frac{40 \times \text{web\_thickness} \times \text{epsilon} \times (\text{web\_thickness})^3}{12} + \frac{\text{int\_stiffener\_thickness} \times (2 \times \text{int\_stiffener\_outstand})^3}{12}$   
(moi considering the effective area)
- ◆  $r_6 = \sqrt{\text{moi\_int\_eff} / \text{eff\_area}_6}$
- ◆  $\text{lamda}_7 = 0.7 \times \text{web\_depth} / r_6$
- ◆ Calculate **fcd\_6** from pg 42 - table 9c of IS 800:2007 through interpolation.
- ◆  $\text{buckling\_resistance}_6 = \text{eff\_area}_6 \times \text{fcd}_6 \times 10^{-3}$
- ◆  $\text{buckling\_force} = [ |SF_x| - vcr ] / 1.1$  ...  $|SF_x|$  is the absolute value of shear force at that location.  
...vcr has been calculated in step-8.

if: **buckling\_resistance\_6** < **buckling\_force**  
then: increase **int\_stiffener\_thickness** by increment of 2 mm and repeat the buckling check.

## STEP 13: DESIGN OF WELD AT WEB-FLANGE JUNCTION

◆  $\text{section\_depth} = \text{web\_depth} + 2(\text{flange\_thickness})$

◆ 
$$\text{moi\_z} = \frac{\text{flange\_breadth} \times (\text{section\_depth})^3}{12} - \frac{(\text{flange\_breadth} - \text{web\_thickness}) (\text{web\_depth})^3}{12}$$

◆ Calculate minimum weld strength required ( $q_w$ ): ( $kN/mm$ )

$$q_w = \frac{|\text{SF\_max}| \times \text{flange\_breadth} \times \text{flange\_thickness} \times \text{section\_depth}}{2 \times 2 \times \text{moi\_z}}$$

From the below table provide a suitable weld size (**s1**) whose design capacity just exceeds **q<sub>w</sub>**.

Table-1: Design Capacity of fillet welds

Leg Lengths (mm)	Design Capacity per unit run (kN/mm) for $f_y = 250$ Mpa ; site welded
4	0.442
5	0.553
6	0.663
8	0.884
10	1.106
12	1.327
15	1.659
18	1.990
20	2.212
22	2.433
25	2.765

(Reference Book: N. Subramanian; Table: 6.5)

*This step is applicable when end-bearing stiffener is provided.*

◆ Calculate minimum weld strength required  $q$ : (kN/mm)

◆  $q_1 = \frac{\text{web\_thickness}^2}{5 \times \text{end\_stiffener\_outstand}}$

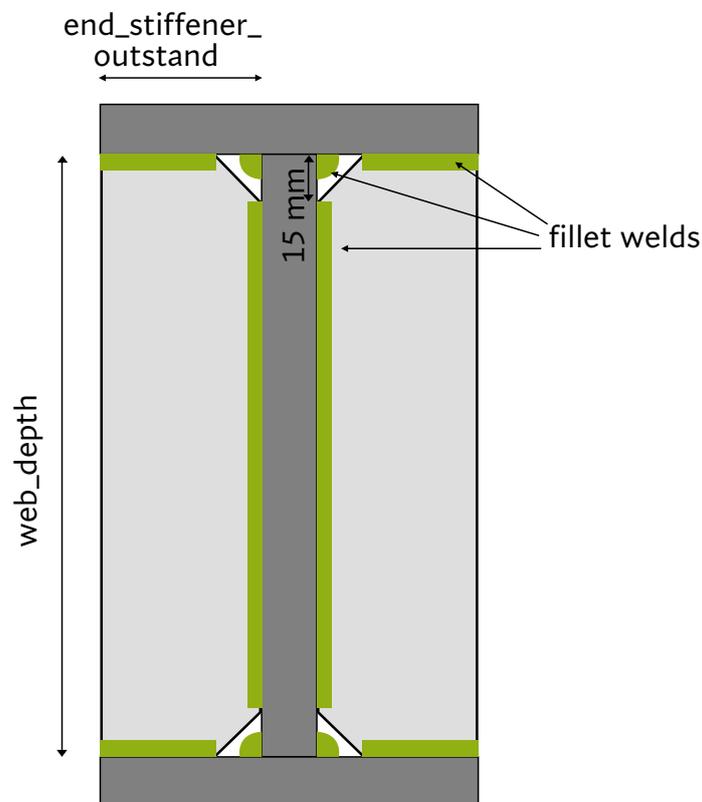
◆  $q_2 = \frac{(|SF_x| - \text{local\_capacity\_web}) / 2}{\text{web\_depth} - 30}$

...  $|SF_x|$  is the absolute value of Shear Force at the location of the end-bearing stiffener.

◆  $q = q_1 + q_2$

*From table-1, provide a suitable weld size (**s2**) whose design capacity just exceeds  $q$ . provide same weld size to the stiffener on the opposite side of the web.*

*Note: End-bearing stiffener is welded to web and also to compression & tension flanges. The weld is provided on both sides of the stiffener.*



End Bearing Stiffener

## STEP 15: DESIGN OF WELD FOR LOAD CARRYING STIFFENERS

*This step is applicable when load-carrying stiffener is provided.*

- ◆ Calculate minimum weld strength required  $q$ : (kN/mm)

- ◆  $q_3 = \frac{\text{web\_thickness}^2}{5 \times \text{load1\_stiffener\_outstand}}$

- ◆  $q_4 = \frac{(|SF_x| - \text{local\_capacity\_web}) / 2}{\text{web\_depth} - 30}$

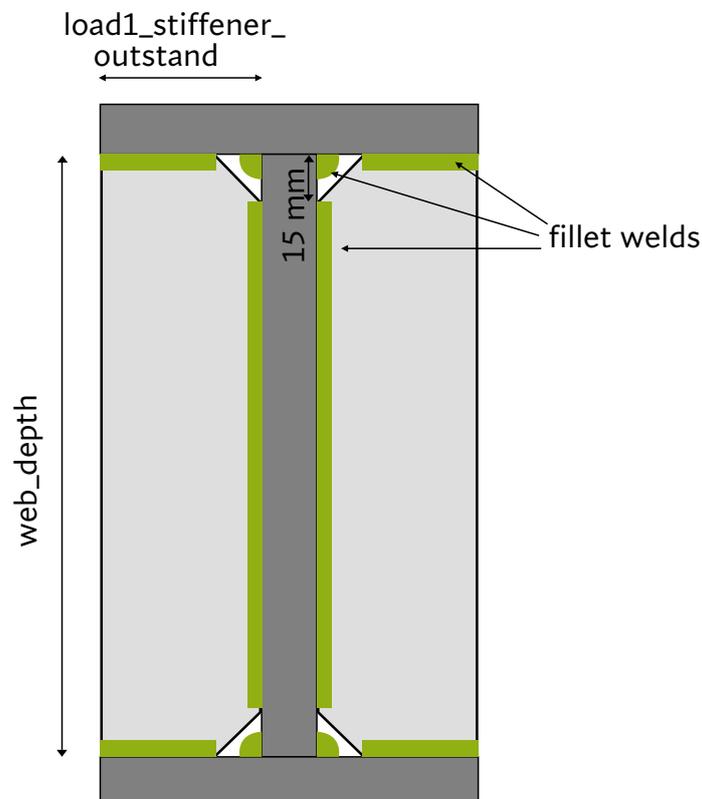
...  $|SF_x|$  is the absolute value of Shear Force at the location of the load-carrying stiffener.

- ◆  $q_{\text{load1}} = q_3 + q_4$

*From table-1 provide a weld size (**s3**) whose design capacity just exceeds **q\_load1**. provide same weld size to the stiffener on the opposite side of the web.*

*Note: Load Carrying Stiffener is welded to web & also to compression & tension flanges. The weld is provided on both sides of the stiffener.*

*Note: Follow this same procedure for the design of all other Load Carrying Stiffeners. For brevity, those steps have not been shown.*



Load-1 Carrying Stiffener

## STEP 16: DESIGN OF WELD FOR INTERMEDIATE TRANSVERSE STIFFENERS

◆ Calculate minimum weld strength required  $q$ : ( $kN/mm$ )

$$◆ q_5 = \frac{\text{web\_thickness}^2}{5 \times \text{int\_stiffener\_outstand}}$$

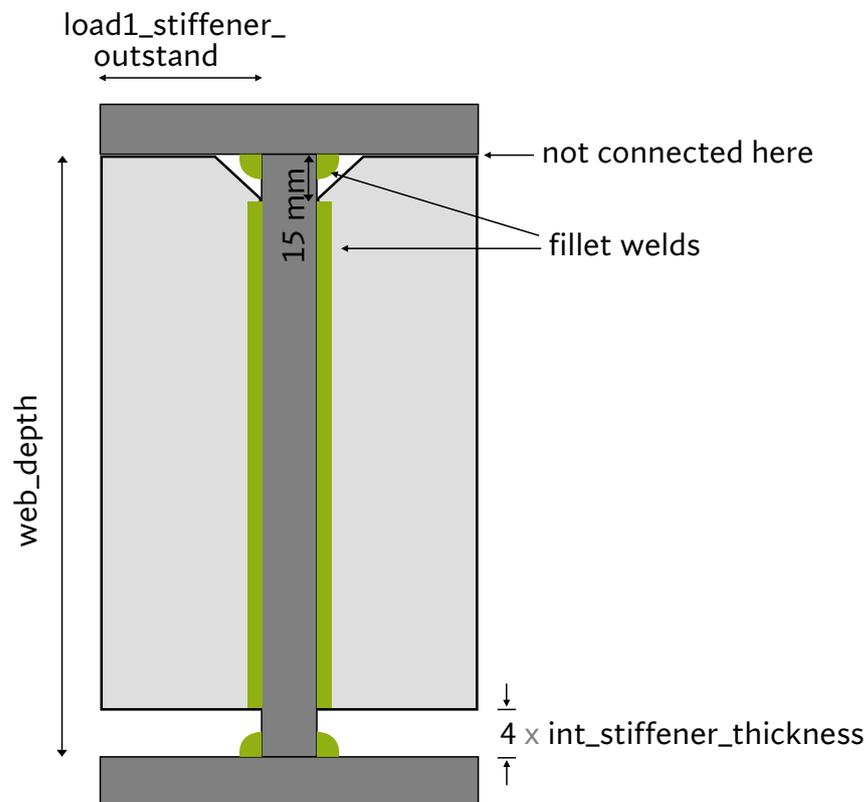
$$◆ q_6 = \frac{(|SF_x| - \text{local\_capacity\_web}) / 2}{\text{web\_depth} - 15 - (4 \times \text{int\_stiffener\_thickness})}$$

...  $|SF_x|$  is the absolute value of Shear Force at the location of the Intermediate Transverse Stiffener.

$$◆ q_{\text{load2}} = q_5 + q_6$$

From table-1 provide a weld size ( $s_4$ ) whose design capacity just exceeds  $q_{\text{load2}}$ . provide same weld size to the stiffener on the opposite side of the web.

Note: Intermediate Transverse Stiffener is welded to web & extended just upto the top compression flange but not welded to it. And it is terminated at a distance of  $\{4 \times \text{int\_stiffener\_thickness}\}$  away from the bottom tension flange.



Intermediate Transverse Stiffener

## OUTPUT DOCK:

### Load Calculation

Maximum Shear Force (kN)

Maximum Bending Moment (kNm)

### Web Details

Web Thickness (mm)

Web Depth (mm)

Local Capacity of Web (kN)

Shear Strength of Web (kN)

Classification of Web

### Flange Details

Flange Breadth (mm)

Flange Thickness (mm)

Bending Strength (Moment Capacity) of Flange (kNm)

Classification of Flange

### End Bearing Stiffener Details

Thickness (mm)

Depth (mm)

Outstand (mm)

Buckling Resistance (kN)

Bearing Resistance (kN)

### Load Bearing Stiffener Details

*Stiffener Under Concentrated Load-1*

Thickness (mm)

Depth (mm)

Outstand (mm)

Buckling Resistance (kN)

Bearing Resistance (kN)

Do the same for stiffeners under other loads too.

### Intermediate Transverse Stiffener Details

▼

Thickness (mm)

Depth (mm)

Outstand (mm)

Buckling Resistance (kN)

Spacing (mm)

Do the same for other stiffeners too.

## Fillet Weld Details

### At Web-Flange Junction

Size of Fillet Weld between Web-Flange Junction (mm)

*s1*

Strength of Fillet Weld between Web-Flange Junction (kN/mm)

*corresponding capacity*

### For End Stiffeners

Size of Fillet Weld for End Stiffeners (mm)

*s2*

Strength of Fillet Weld of End Stiffeners (kN/mm)

*corresponding capacity*

### For Load Carrying Stiffeners

#### *Stiffener Under Concentrated Load-1:*

Size of Fillet Weld (mm)

*s3*

Strength of Fillet Weld (kN/mm)

*corresponding capacity*

*Do the same for stiffeners under other loads too.*

### For Intermediate Transverse Stiffeners

#### *Stiffener-1:*

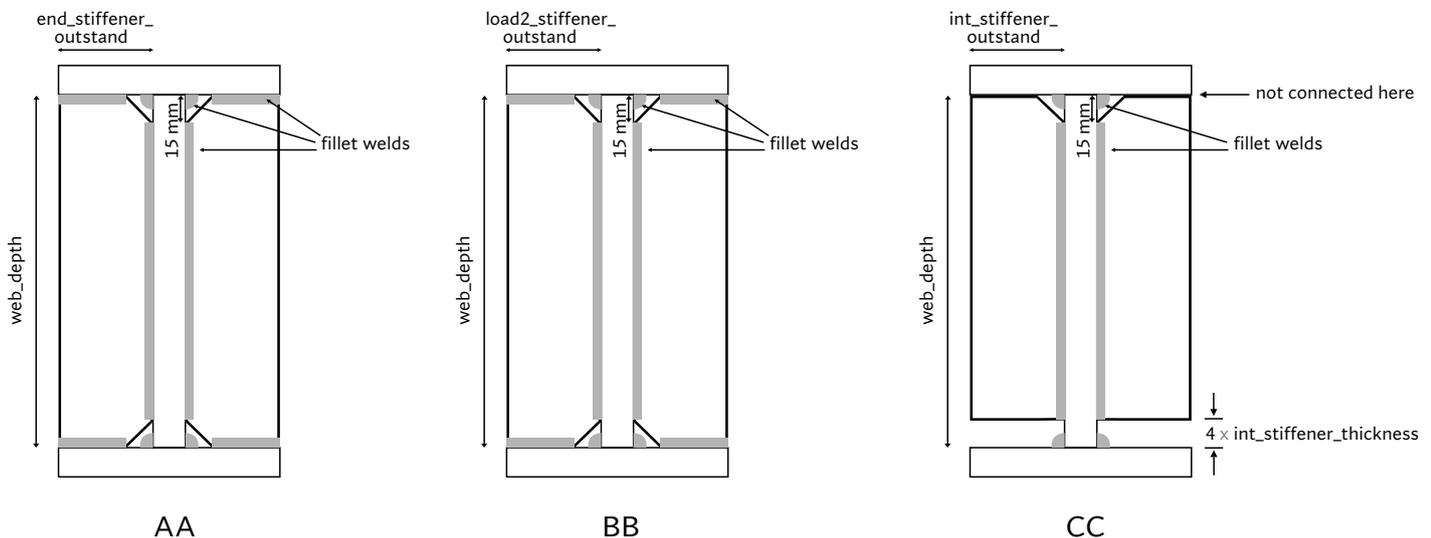
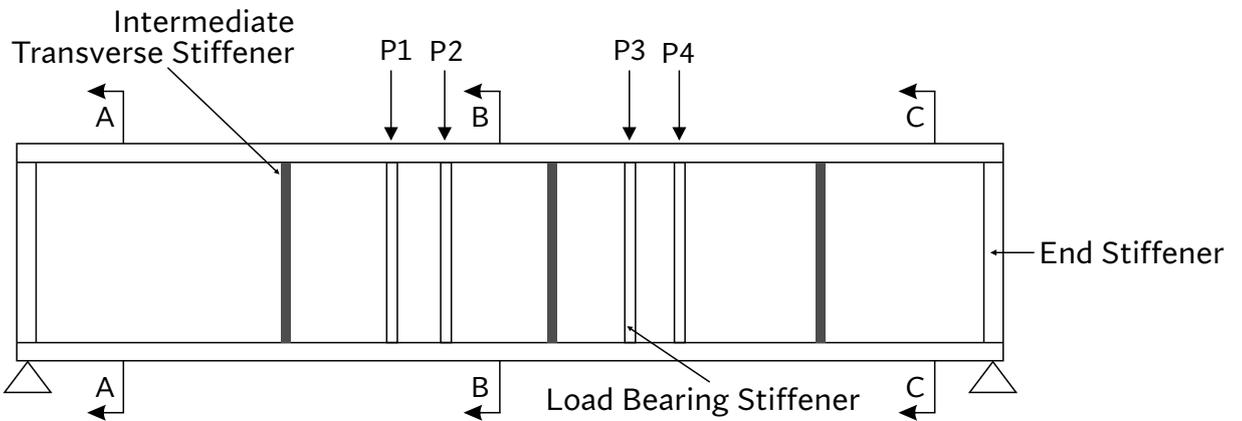
Size of Fillet Weld (mm)

*s4*

Strength of Fillet Weld (kN/mm)

*corresponding capacity*

*Do the same for other stiffeners too.*



# Example - 2

## WELDED PLATE GIRDER (STIFFENED THIN WEB)

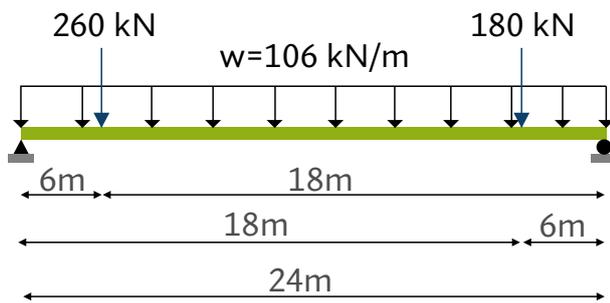
- span length (m) = 24
- Imposed factored = 100 UDL (kN/m)
- Web type : stiffened thin web
- Material yield stress = 250 MPa
- $c/d = 1.4$

CONCENTRATED LOADS:

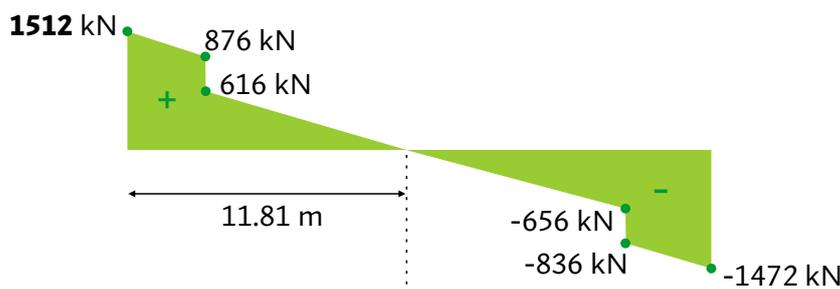
- Factored load 1 (kN) = 260
- Distance from left (m) = 6
- Factored load 2 (kN) = 180
- Distance from left (m) = 18

### STEP 1: LOAD CALCULATION

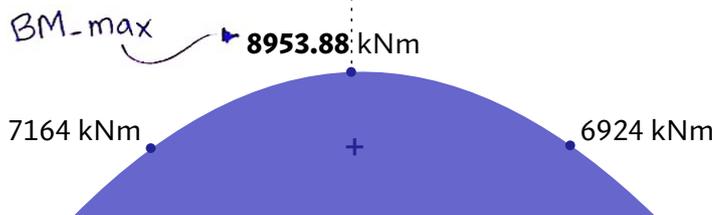
- self weight =  $100 \times 24 / 400 = 6$  kN/m
- Total UDL ( $w$ ) =  $100 + 6 = 106$  kN/m



SFD



BMD



$$\bullet \text{ SF (at } x=0) = \left( \frac{106 \times 24}{2} - 0 \right) + \left\{ \frac{260 \times 18}{24} \right\} + \left\{ \frac{180 \times 6}{24} \right\} = 1512$$

$$\bullet \text{ SF (at } x=18) = \left[ \frac{106 \times 24}{2} - 106(18) \right] + \left\{ \frac{-260 \times 6}{24} \right\} + \left\{ \frac{45}{-135} \right\} = -836$$

Point of max BM will lie at point of zero shear. Point of zero shear would lie between the two point loads, i.e., between  $x=6$  and  $x=18$ . The shear force equation for this section (b/w  $x=6$  &  $18$ ) is:

$$SF(6 < x < 18) = 1512 - 106x - 260$$

$$0 = 1512 - 106x - 260 \Rightarrow \boxed{x = 11.81 \text{ m}}$$

So, BM @  $x=11.81$  is calculated as:

$$BM(x=11.81) = \frac{106 \times 11.81 (24 - 11.81)}{2} + \left\{ \frac{260 \times 18 \times 11.81}{24} \right\} - 260(11.81 - 6) + \frac{180 \times 6 \times 11.81}{24}$$

$$BM_{\max} = 8953.88 \text{ kN}\cdot\text{m}$$

### STEP 2: PROPORTIONING OF WEB

- $\epsilon = \sqrt{250/250} = 1$

- Optimum depth of web =  $\left[ \frac{8953.88 \times 10^6 \times 200}{250} \right]^{0.33} = 1787.24 \approx 1780 \text{ mm}$   
 $\therefore \boxed{d = 1780 \text{ mm}}$

- Optimum thickness of web =  $\left[ \frac{8953.88 \times 10^6}{(200)^2 \times 250} \right]^{0.33} = 9.42 \approx 10 \text{ mm}$   
 $\therefore \boxed{t_w = 10 \text{ mm}}$

### STEP 3: PROPORTIONING OF FLANGE

- Flange area =  $\frac{BM_{\max} \times \gamma_{mo}}{f_y \times d} = \frac{8953.88 \times 10^6 \times 1.1}{250 \times 1780} = 22133.1$

- Flange breadth =  $0.3 \times 1780 = 534 \approx \boxed{540 \text{ mm}}$

- Flange thickness =  $\frac{22133.1}{540} = 40.9 \approx \boxed{45 \text{ mm}}$

#### STEP 4: CLASSIFICATION OF FLANGE

- Flange outstand =  $(540-10)/2 = 265 \text{ mm}$
- $\frac{b}{t_f} \rightarrow \frac{\text{outstand}}{\text{thickness}} = \frac{265}{45} = 5.8$  since its less than  $8.4 \epsilon$   
 $\therefore$  flange type = plastic

#### STEP 5: CLASSIFICATION OF WEB

- $\frac{\text{web depth}}{\text{web thickness}} = \frac{1780}{10} = 178$  since its greater than  $105 \epsilon$   
 $\therefore$  web type = slender

#### STEP 6: CALCULATE $Z_p$ and $Z_e$

- $Z_p = 2 \left[ \underbrace{b_f \cdot t_f}_{\text{area}} \left\{ \underbrace{\frac{d}{2} + \frac{t_f}{2}}_{\bar{y}} \right\} \right] = 2 \left[ 540 \times 45 \left\{ \frac{1780}{2} + \frac{45}{2} \right\} \right]$   
 $= 44347500 \text{ mm}^3$

- section <sup>(D)</sup> depth =  $1780 + 2(45) = 1870$

- $Z_e = \frac{I}{\bar{y}} = \frac{b_f D^3}{12} - \frac{2(\text{outstand})d^3}{12}$   
 $= \frac{2}{1870} \times \left\{ \frac{540 \times (1870)^3}{12} - \frac{(540-10)(1780)^3}{12} \right\} = 48315602.5 \text{ mm}^3$

#### STEP 7: CHECK FOR BENDING STRENGTH OF FLANGE

- $B_b = 1$   $\therefore$  flange type = plastic
- moment capacity =  $\frac{B_b \cdot f_y \cdot Z_p}{\gamma_{m0}} = \frac{250 \times 44347500 \times 10^{-6}}{1.1}$   
 $= 10078.97 \text{ KN}\cdot\text{m}$

since moment capacity ( $10078.97 \text{ KN}\cdot\text{m}$ ) is greater than the maximum bending moment ( $8953.88 \text{ KN}\cdot\text{m}$ ), hence the section is safe in bending. 

### STEP-8: CHECK FOR SHEAR CAPACITY OF WEB

- spacing (mm) =  $\left(\frac{c}{d}\right) \times d = 1.4 \times 1780 = 2492 \text{ mm}$
- no. of panels =  $24 \times 10^3 / 2492 = 9.63 \approx 10 \text{ panels}$
- Recalculate spacing =  $24 \times 10^3 / 10 = \boxed{2400 \text{ mm}}$
- Recalculate  $c/d = 2400 / 1780 = \boxed{1.34}$
- $\because c/d \geq 1 \therefore K_v = 5.35 + \frac{4}{(c/d)^2} = 5.35 + \frac{4}{(1.34)^2} = 7.55$
- $\tau_{cr,e} = \frac{7.55 \times \pi^2 \times 2 \times 10^5}{12(1-0.3^2)(178)^2} = 43.07 \text{ N/mm}^2$
- $\lambda = \sqrt{250 / \sqrt{3} \times 43.07} = 1.83$
- $\because \lambda \geq 1.2 \therefore \tau_{b1} = 250 / \sqrt{3} \cdot (1.83)^2 = 43.09$
- $V_{cr} = 43.09 \times 1780 \times 10 \times 10^{-3} = 767.17 \text{ kN}$   
 $\boxed{V_{cr} = 767.17 \text{ kN}}$

### STEP 8-B: CHECK FOR ADEQUACY OF END PANEL

check for shear capacity:

- $V_{dp} = 1780 \times 10 \times 250 \times 10^{-3} / \sqrt{3} = 2569.2 \text{ kN}$
- $H_q = 1.25 \times 2569.2 \left[ 1 - \frac{767.17}{2569.2} \right]^{0.5} = 2689.62 \text{ kN}$
- $R_{tf} = \frac{2689.62}{2} = 1344.81 \text{ kN}$
- $V_n = \frac{1780 \times 10 \times 250 \times 10^{-3}}{\sqrt{3} \times 1.1} = 2335.6 \text{ kN}$

$\because V_n > R_{tf}$  End Panel is safe in shear. ✓

check for Moment Capacity:  $M_{tf} = 2689.62 \times 1780 \times 10^{-3} / 10 =$

- $I = 10 \times (2400)^3 / 12 = 1.152 \times 10^{10} \text{ mm}^4$   $\frac{478.75}{\text{kNm}}$
- $M_q = \frac{1.152 \times 10^{10} \times 250 \times 10^{-6}}{\left(\frac{2400}{2}\right) \times 1.1} = 2181.81 \text{ kNm}$

$\because M_q > M_{tf} \therefore$  End Panel is safe in bending. ✓

## STEP-9 : CHECK FOR LOCAL CAPACITY OF WEB

- local capacity =  $2.5 \times 45 \times 10 \times 250 \times 10^{-3} / 1.1 = 255.68 \text{ KN}$  of web
- $\therefore$  local capacity of the web is less than the maximum shear force (1512 KN), hence end-bearing stiffeners are required. 

## STEP-10 : DESIGN OF END BEARING STIFFENER

- Total compressive load on the end-stiffener ( $f_c$ ):

$$f_c = 1512 + \frac{478.75}{2400 \times 10^{-3}} = 1711.47 \text{ KN}$$

- Net compressive load on the end-stiffener ( $f_{c-net}$ ):

$$f_{c-net} = 1711.47 - 255.68 = 1455.79 \text{ KN}$$

### MINIMUM AREA REQUIREMENT :

- area<sub>min</sub> =  $0.8 \times 1711.47 \times 1.1 \times 10^3 / 250 = 6024.36 \text{ mm}^2$
- Assume thickness = 8 mm
- End stiffener outstand =  $1.4 \times 8E = 112 \text{ mm}$  [  $\therefore$  Area =  $2 \times 112 \times 8 = 1792$  ]
- Revised End stiffener thickness = 16

- Area of end stiffener =  $2 \times 224 \times 16 = 7168 \text{ mm}^2$
- $\therefore 7168 > 6024.36 \therefore$   outstand

Hence provide a pair of 224, x 16 mm

less than flange outstand (265)  $\therefore$  

### Buckling Check :

- $I = \frac{16 \times (2 \times 224)^3}{12} \rightarrow 119887189.3$

- $r_c = \sqrt{I / 7168} = 129.36$

- $\lambda = 0.7 \times 1780 / 129.36 = 9.63$

- $f_{cd} = 227.11$

- buckling resistance =  $\overset{7168}{\text{area}} \times f_{cd} \times 10^{-3} \rightarrow = 1627.92 \text{ KN}$
- $> SF_{max} (1512 \text{ KN}) \therefore$  

### Bearing check:

$$\bullet \text{ bearing capacity} = \frac{2(224 - 15) \times 16 \times 250 \times 10^{-3}}{0.8 \times 1.1} = 1900 \text{ KN}$$

$\therefore 1900 \text{ KN} > f_{c\text{-net}} (1455.79 \text{ KN}) \therefore$  End stiffener is safe in bearing. ✓

### STEP-II : DESIGN OF LOAD CARRYING STIFFENERS

It is required only below concentrated load-1 since local capacity of web (255.68) is less than the load (260). ⚠

### DIMENSIONING:

- Assume thickness = 8 mm
- Outstand =  $14 \times 8 \text{ E} = 112 \text{ mm}$ . Buckling check:
- Effective area =  $(40 \times 10 \times 10) + 2(224 \times 16) = 11168 \text{ mm}^2$
- $I = \frac{40 \times 10 \times 10^3}{12} + \frac{16(2 \times 224)^3}{12} = 119920522.7$
- $r = \sqrt{I/A} = 103.62$
- $\lambda = 0.7 \times 1780 / 103.62 = 12.02$
- $f_{cd} = 226.394$
- buckling resistance =  $11168 \times 226.394 \times 10^{-3} = 2528.36 \text{ KN}$

Buckling resistance of the stiffener (2528.36) > load (260) ✓

Hence provide a pair of 112 mm x 8 mm stiffeners below 260 KN load.

### Bearing check:

$$\bullet \text{ bearing capacity} = \frac{2(112 - 15) \times 8 \times 250 \times 10^{-3}}{0.8 \times 1.1} = 440.9 \text{ KN}$$

$\therefore 440.9 \text{ KN} > \text{load} (260 \text{ KN})$  Hence stiffener is safe in bearing. ✓

## STEP-12: DESIGN OF INTERMEDIATE TRANSVERSE STIFFENERS

$$I_{min} \text{ for the pair of stiffeners} = 1.5 \times d^3 \times t_w^3 / (\text{spacing})^2$$

$$\therefore I_{min} = 1.5 \times (1780)^3 \times 10^3 / (2400)^2 \quad \dots \because c/d = 1.34 < \sqrt{2}$$

DIMENSIONING:

- Assume stiffener thickness as 8 mm.  $14.68 \times 10^5 \text{ mm}^4$
  - The corresponding maximum outstand =  $14 \times 8 \times E = 112 \text{ mm}$
  - $I(\text{provided}) = 8 \times (2 \times 112)^3 / 12 = 7492949.3 \text{ mm}^4$   
 $\approx 74 \times 10^5 \text{ mm}^4$
- $\therefore I(\text{provided}) > I_{min}, \therefore \boxed{\text{OK}} \quad \checkmark$

Buckling check:

- Effective area =  $(40 \times 10 \times 10) + 2(112 \times 8) = 5792 \text{ mm}^2$
  - $I = \frac{40 \times 10 \times (10)^3}{12} + \frac{8 \times (2 \times 112)^3}{12} = 74.96 \times 10^5 \text{ mm}^4$   
 $[7496282.6]$
  - $r = \sqrt{I/A} = 35.97$
  - $\lambda = 0.7 \times 1780 / 35.97 = 34.63$
  - $f_{cd} = 204.981$
  - Buckling Resistance =  $5792 \times 204.981 \times 10^{-3} = \boxed{1187.24 \text{ KN}}$
  - Buckling force =  $\left[ SF_{(@2400 \text{ mm})} - V_{cr} \right] \div 1.1$   
 $\rightarrow SF_{(@2.4 \text{ m})} = \left( \frac{106 \times 24}{2} - 106(2.4) \right) + \left( \frac{260 \times 18}{24} \right) + \left( \frac{180 \times 6}{24} \right)$   
 $= 1257.6 \text{ KN}$
- $\therefore \text{buckling force} = 1257.6 - 767.17 = \boxed{490.43 \text{ KN}}$
- $\therefore \text{Buckling Resistance } (1187.24) > \text{Buckling force } (490.43)$   
 $\therefore \text{Intermediate stiffener is safe in buckling. } \checkmark$

Similarly the other eight intermediate transverse stiffeners can be designed based on the shear force at their respective locations.

### STEP-13 : DESIGN OF WELD AT WEB-FLANGE JUNCTION

- section depth =  $1780 + 2(45) = 1870$

- $I_z = \frac{540 \times (1870)^3}{12} - \frac{(540-10)(1780)^3}{12} = 4.517 \times 10^{10}$

- Minimum weld strength required ( $q_w$ )

$$q_w = \frac{1512 \times 540 \times 45 \times 1870}{2 \times 2 \times 4.51 \times 10^{10}} = 0.38 \text{ KN/mm}$$

Provide a pair of 4mm fillet welds. (Table 1 of algorithm).

Design capacity =  $0.442 \text{ KN/mm} > 0.38 \text{ KN/mm} \therefore \text{SAFE}$  ✓

### STEP-14 : DESIGN OF WELD FOR END-BEARING STIFFENER

- $q_1 = \frac{(10)^2}{5 \times 224} = 0.0892$

- $q_2 = \frac{(1512 - 409) / 2}{1780 - 30} = 0.3151$

$$q = q_1 + q_2 = 0.404 \text{ KN/mm}$$

Provide a pair of 4mm fillet welds. ✓

Similarly the end-stiffener at the right end of the girder can be designed considering the SF at that location (1472 kN).

### STEP-15 : DESIGN OF WELD FOR LOAD CARRYING STIFFENER

(stiffener below concentrated load-1)

- $q_1 = \frac{(10)^2}{5 \times 112} = 0.178$

- $q_2 = \frac{[SF(x=6m) - \text{local capacity of web}] / 2}{\text{web depth} - 30}$

$$\rightarrow SF(x=6m) : \left( \frac{24 \times 106}{2} - 106 \times 6 \right) + \left\{ \frac{260 \times 18}{24} \right\} + \left\{ \frac{180 \times 6}{24} \right\} = 876 \text{ KN}$$

$$\bullet \therefore q_2 = \frac{[876 - 409]}{1780 - 30} = 0.1334$$

$$q = q_1 + q_2 = 0.311 \text{ kN/mm}$$

$\therefore$  provide a pair of 4mm fillet welds. ✓

### STEP-16 : DESIGN OF WELD FOR INTERMEDIATE TRANSVERSE STIFFENERS

$$\bullet q_1 = \frac{10^2}{5 \times 112} = 0.178$$

$$\bullet q_2 = \frac{[1257.6 - 409]}{1780 - 15 - [4 \times 8]} = 0.244$$

$$\left. \begin{array}{l} q = q_1 + q_2 \\ = 0.422 \text{ kN/mm} \end{array} \right\}$$

$\therefore$  Provide a pair of 4mm fillet welds. ✓

#### OUTPUT DOCK:

##### Load Calculation

Maximum Shear Force (kN)

Maximum Bending Moment (kNm)

##### Web Details

Web Thickness (mm)

Web Depth (mm)

Local Capacity of Web (kN)

Shear Strength of Web (kN)

Classification of Web

##### Flange Details

Flange Breadth (mm)

Flange Thickness (mm)

Bending Strength (Moment Capacity) of Flange (kNm)

Classification of Flange

##### End Bearing Stiffener Details

Thickness (mm)

Depth (mm)

Outstand (mm)

Buckling Resistance (kN)

Bearing Resistance (kN)

### Load Bearing Stiffener Details

#### Stiffener Under Concentrated Load-1

Thickness (mm)	<input type="text" value="8"/>
Depth (mm)	<input type="text" value="1780"/>
Outstand (mm)	<input type="text" value="112"/>
Buckling Resistance (kN)	<input type="text" value="2528.36"/>
Bearing Resistance (kN)	<input type="text" value="440.9"/>

Do the same for stiffeners under other loads too.

### Intermediate Transverse Stiffener Details

▼

Thickness (mm)	<input type="text" value="8"/>
Depth (mm)	<input type="text" value="1748"/>
Outstand (mm)	<input type="text" value="112"/>
Buckling Resistance (kN)	<input type="text" value="1187.24"/>
Spacing (mm)	<input type="text" value="2400"/>

Do the same for other stiffeners too.

### Fillet Weld Details

#### At Web-Flange Junction

Size of Fillet Weld between Web-Flange Junction (mm)	<input type="text" value="4"/>
Strength of Fillet Weld between Web-Flange Junction (kN/mm)	<input type="text" value="0.442"/>

#### For End Stiffeners

Size of Fillet Weld for End Stiffeners (mm)	<input type="text" value="4"/>
Strength of Fillet Weld of End Stiffeners (kN/mm)	<input type="text" value="0.442"/>

#### For Load Carrying Stiffeners

##### Stiffener Under Concentrated Load-1:

Size of Fillet Weld (mm)	<input type="text" value="4"/>
Strength of Fillet Weld (kN/mm)	<input type="text" value="0.442"/>

Do the same for stiffeners under other loads too.

##### For Intermediate Transverse Stiffeners

###### Stiffener-1:

Size of Fillet Weld (mm)	<input type="text" value="4"/>
Strength of Fillet Weld (kN/mm)	<input type="text" value="0.442"/>

Do the same for other stiffeners too.



# **GUSSETED TRUSS CONNECTION**

## Chapter 3: Gusseted Truss Connection

### 3.1 Introduction

Gusset plate connections are commonly used to join members in steel truss bridges. The gussets are the crucial parts of the structure through which all the internal forces from the connected members are transmitted. They are with us for centuries and if you're not a structural engineer, you will never notice them. And it's OK, they should be made like this – inconspicuous, modest but unshakably safe. The designer has to do a number of checks on gusset plates - such as, in tension members, check for gross section yield strength, net section rupture resistance, block shear failure, etc.

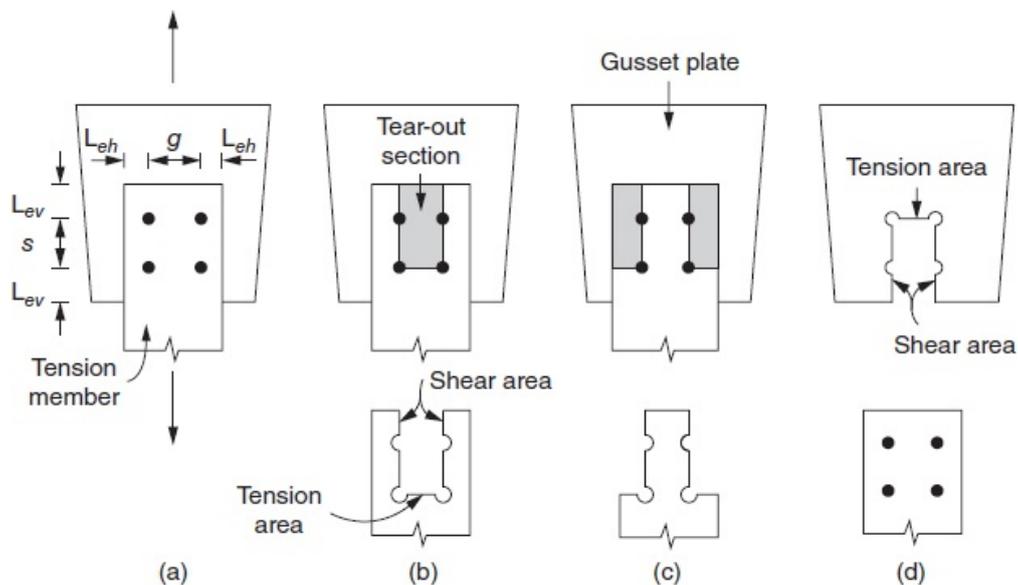
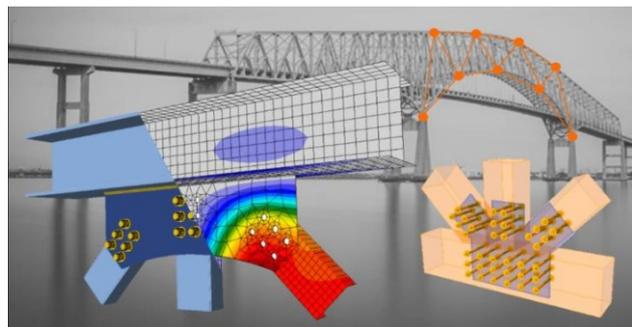
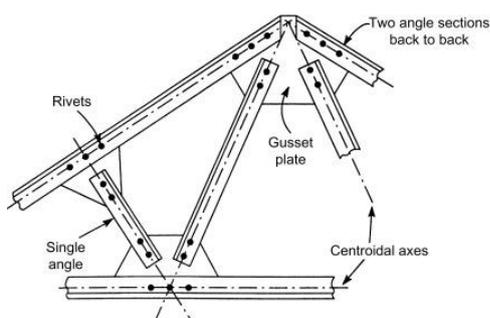
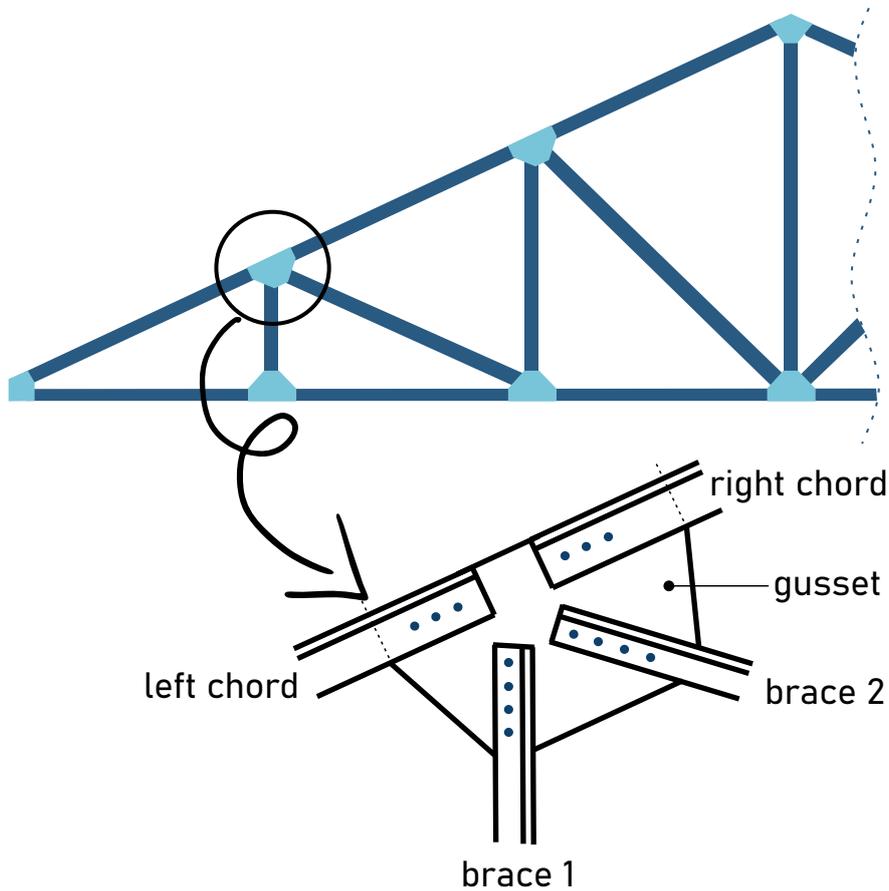


Figure: Possible shear failure paths

The gusset connection design can become completely different when it comes to compression members. We still have to check all the shear failures, but the buckling problem starts to play a much more important role. A crucial parameter in the compression member connection design is the fact of whether the member can or cannot sway out of the gusset's plane. This will influence the behaviour of the failure mechanism and the creation of the plastic hinges in the plates. Therefore, the algorithm at this stage supports the definition of only tension forces.



# ALGORITHM: GUSSETED TRUSS CONNECTION (BOLTED)



## INPUT DOCK:

### Connecting Members

Number of Members: \*

min: 2, max: 10

(Out of the total number of members, one member would be referred "Left Chord" and one member would be referred "Right Chord" and the remaining members shall be referred as member 1, member 2, etc...)

Section Profile: \*

Angles, Channel, etc...

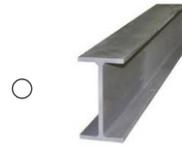
(To be specified for chords & braces separately. Both the chords shall have a common section profile and so will all the braces)



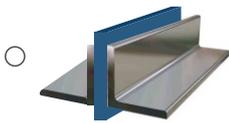
angle



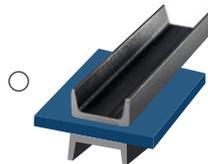
channel



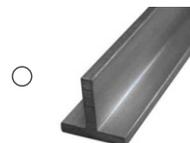
Isection



D\_angle  
(Double Angle  
back to back)



D\_channel  
(Double Channel  
back to back)



tee

Conn\_Location \*

Long Leg / Short Leg

Section Size (Left & Right Chord) \*

All / User Defined

(refer steel table database for the list of sections corresponding to each Section Profile)

Section Size (All Other Braces) \*

All / User Defined

(refer steel table database for the list of sections corresponding to each Section Profile)

Angle Between Right and Left Chord:  
(anticlockwise, degrees) \*

*min: 10, max: 350*

Angle Between Right Chord and Member 1:  
(anticlockwise, degrees) \*

*min: 10, max: 350*

Angle Between Right Chord and Member 2:  
(anticlockwise, degrees) \*

*min: 10, max: 350*

*and so on...for {No of members - 2}*

Material grade \*

*options are:*

*E 165 (Fe 290)*

*E 250 (Fe 410 W) A*

*E 250 (Fe 410 W) B*

*E 250 (Fe 410 W) C*

*E 300 (Fe 440)*

*E 350 (Fe 490)*

*E 410 (Fe 540)*

*E 450 (Fe 570) D*

*E 450 (Fe 590) E*

## Factored Tensile Loads

Right Chord (kN) \*

*min: 30% of design yield strength (Refer Clause 10.7)*

Left Chord (kN) \*

*min: 30% of design yield strength*

Member # (kN) \* (required for each member)

*min: 30% of design yield strength*

*(if the user had specified a section profile and a section size,  
& further if he specifies an axial force less than 30% of design  
yield strength, then assume axial force less equal to 30%.  
mention it in the **warning**)*

## Bolt

Diameter (mm)\*

options for "User defined": 8, 10, 12, 14, 16, 18, 20, 22, 24, 27, 30, 33, 36, 39, 42, 45, 48, 52, 56, 60, 64

Type

Grade\*

options for "User defined": 3.6, 4.6, 4.8, 5.6, 5.8, 6.8, 8.8, 9.8, 10.9

## Plate

Thickness (mm)\*

options for "User defined": 8, 10, 12, 14, 16, 18, 20, 22, 25, 28, 32, 36, 40, 45, 50, 56, 63, 75, 80, 90, 100, 110, 120

defining some variables:

- ◆ Section profile for chord left: chord\_L  
Section profile for chord right: chord\_R  
Section profile for all braces: SP\_brace
- ◆ Section size for chord left: size\_chord\_L  
Section size for chord right: size\_chord\_R  
Section size for brace 1: size\_brace1  
Section size for brace 2: size\_brace2 ...
- ◆ User defined factored tensile load (unit kN)  
In brace 1: F1 ; in brace 2: F2 ...  
In chord left: F\_l ; in chord right: F\_r  
unit: kN  
datatype: int
- ◆ bolt diameter: d → datatype: int
- ◆ bolt grade: bolt\_grade → datatype: float  
each of these bolt\_grade have a corresponding fub value as follows: → datatype: int

bolt_grade	3.6	4.6	4.8	5.6	5.8	6.8	8.8	9.8	10.9
fub	330	400	420	500	520	600	800	900	1040

Tensile properties of bolts in steel constructions

Specification IS 1367 (Part 3) (ISO 898)	Grade/classification	Properties		
		Yield stress $f_y$ , MPa (min)	Ultimate tensile stress $f_{ub}$ , MPa (min)	Elongation percentage (min)
Specifications of fasteners threaded steel for technical supply conditions	3.6	180	330	25
	4.6	240	400	22
	4.8	320	420	14
	5.6	300	500	20
	5.8	400	520	10
	6.8	480	600	8
	8.8 : (d < 16 mm)	640	800	12
	(d > 16 mm)	660	830	12
	9.8	720	900	10
10.9	940	1040	9	

◆ Material Grade: material\_grade  
each of these material\_grade have a corresponding  $f_y$  &  $f_u$  value as follows:  
↳ datatype: int

◆ Material Grade: material\_grade  
each of these material\_grade have a corresponding  $f_y$  &  $f_u$  value as follows:  
↳ datatype: int

Table 1 (Concluded)

SI No.	Indian Standard	Grade/Classification	Properties			
			Yield Stress MPa, Min $f_y$ (4)		Ultimate Tensile Stress MPa, Min $f_u$ (5)	
(1)	(2)	(3)	<i>d or t</i>			
			< 20	20-40	> 40	
viii)	IS 2062	E 165 (Fe 290)	165	165	165	290
		E 250 (Fe 410 W) A	250	240	230	410
		E 250 (Fe 410 W) B	250	240	230	410
		E 250 (Fe 410 W) C	250	240	230	410
		E 300 (Fe 440)	300	290	280	440
		E 350 (Fe 490)	350	330	320	490
		E 410 (Fe 540)	410	390	380	540
		E 450 (Fe 570) D	450	430	420	570
		E 450 (Fe 590) E	450	430	420	590

Note: These Mpa (N/mm<sup>2</sup>) values needs to be converted into KN/mm<sup>2</sup> during calculations.

defining some variables:

◆ Let the no. of shear planes for each brace be: nsp\_brace → datatype: int

This variable shall have the following values:

nsp\_brace = 1

... if SP\_brace = angle or channel or tee

nsp\_brace = 2

... if SP\_brace = D\_angle or D\_channel

- ◆ Let the pitch be:  $p \rightarrow \text{datatype: float}$

Let the initial value of  $p$  be:  $2.5d$

max value:  $16t$  or  $200\text{mm}$  (whichever is least)

**10.2.3.2** The distance between the centres of two adjacent fasteners (pitch) in a line lying in the direction of stress, shall not exceed  $16t$  or  $200\text{ mm}$ , whichever is less, in tension members and  $12t$  or  $200\text{ mm}$ , whichever is less, in compression members; where  $t$  is the thickness of the thinner plate. In the case of

- ◆  $d_{\text{hole}} \rightarrow \text{datatype: float}$

$d_{\text{hole}} = d + 1$  ... if  $d = 12$  or  $14$

$d_{\text{hole}} = d + 2$  ... if  $d = (16, 18, 20, 22, 24)$

$d_{\text{hole}} = d + 3$  ... if  $d$  is greater than  $24$

- ◆  $\text{end\_dist} \rightarrow \text{datatype: float}$  (*parallel to line of force*)

Let its initial value be:  **$1.5 d_{\text{hole}}$**

- ◆  $\text{edge\_dist} \rightarrow \text{datatype: float}$  (*perpendicular to line of force*)

Let its initial value be:  **$1.5 d_{\text{hole}}$**

**10.2.4.2** The minimum edge and end distances from the centre of any hole to the nearest edge of a plate shall not be less than  $1.7$  times the hole diameter in case of sheared or hand-flame cut edges; and  $1.5$  times the hole diameter in case of rolled, machine-flame cut, sawn and planed edges.

**10.2.4.3** The maximum edge <sup>& end</sup> distance to the nearest line of fasteners from an edge of any un-stiffened part should not exceed  $12 t \epsilon$ , where  $\epsilon = (250/f_y)^{1/2}$  and  $t$  is the thickness of the thinner outer plate. This would not apply to fasteners interconnecting the components of back to back tension members. Where the members

*Here  $f_y$  = Yield Stress of the material*

- ◆ Let the thickness of gusset be:  $t_{\text{gusset}} \rightarrow \text{datatype: float}$

if  $t_{\text{gusset}}$  is not specified by the user

{

Let the initial value of  $t_{\text{gusset}}$  be:  $12$

}

- ◆ Thickness of size\_brace1 shall be:  $t_{brace\_1}$   
available in steel table ← → datatype: float  
 $t_{brace\_1}$  = thickness of connected leg  
 ... if SP\_brace = angle or channel or tee  
 $t_{brace\_1}$  = twice the thickness of connected leg  
 ... if SP\_brace = D\_angle or D\_channel
- ◆  $t$  → datatype: float  
 where,  $t$  = (minimum of  $t_{gusset}$  and  $t_{brace\_1}$ )

if section profile & section size is user defined

{  
 in case the value of  $\frac{\text{Force applied}}{\text{area of section}}$  is greater than:

$$\frac{\text{Area of section (in mm}^2\text{)} \times \text{Material grade} \times 10^{-3}}{1.1}$$

fy in MPa ←

then print the following error:

*“The factored tensile force ( ) exceeds the tension yield capacity ( ) of the section. Please choose a larger section or decrease the load.”*

}  
 if section profile is user defined (& not the section size)

{  
 in case the value of  $\frac{\text{Force applied}}{\text{area of largest section under that profile}}$  is greater than:

$$\frac{A_{Lsup} \text{ (in mm}^2\text{)} \times \text{Material grade} \times 10^{-3}}{1.1}$$

fy in MPa ←

then print the following error:

*“The factored tensile force ( ) exceeds the tension yield capacity ( ) of the largest section available under the designated section profile. Please decrease the load.”*

shear capacity of bolt

if bolt type = bearing bolt, then:

{

### 10.3.3 Shear Capacity of Bolt

The design strength of the bolt,  $V_{dsb}$  as governed shear strength is given by:

$$V_{dsb} = V_{nsb} / \gamma_{mb}$$

where

$V_{nsb}$  = nominal shear capacity of a bolt, calculated as follows:

$$V_{nsb} = \frac{f_u}{\sqrt{3}} (n_n A_{nb} + n_s A_{sb})$$

$f_u$  = ultimate tensile strength of a bolt;

$n_n$  = number of shear planes with threads intercepting the shear plane;

$n_s$  = number of shear planes without threads intercepting the shear plane;

$A_{sb}$  = nominal plain shank area of the bolt; and

$A_{nb}$  = net shear area of the bolt at threads, may be taken as the area corresponding to root diameter at the thread.

if bolt diameter, bolt\_grade, section profile and section size is user defined

{

◆  $V_{dsb}$  → datatype: float

↳ in MPa

$$V_{dsb} = \frac{f_{ub} \times n_{sp1} \times 0.78 \times \pi \times (d^2) \times (10^{-3})}{\sqrt{3} \times 1.25 \times 4}$$

◆  $K_b$  → datatype: float

$$K_b = \text{minimum of } \begin{cases} \frac{\text{end\_dist}}{3 \times (d_{\text{hole}})} \\ \frac{p}{3 \times (d_{\text{hole}})} \\ \frac{f_{ub}}{f_u} \\ 1 \end{cases}$$

### 10.3.4 Bearing Capacity of the Bolt

The design bearing strength of a bolt on any plate,  $V_{dpb}$  as governed by bearing is given by:

$$V_{dpb} = V_{npb} / \gamma_{mb}$$

where

$$V_{npb} = \text{nominal bearing strength of a bolt} \\ = 2.5 k_b d t f_u$$

where

$$k_b \text{ is smaller of } \frac{e}{3d_0}, \frac{p}{3d_0} - 0.25, \frac{f_{ub}}{f_u}, 1.0;$$

$e, p$  = end and pitch distances of the fastener along bearing direction;

$d_0$  = diameter of the hole;

$f_{ub}, f_u$  = ultimate tensile stress of the bolt and the ultimate tensile stress of the plate, respectively;

$d$  = nominal diameter of the bolt; and

$t$  = summation of the thicknesses of the connected plates experiencing bearing stress in the same direction, or if the bolts are countersunk, the thickness of the plate minus one half of the depth of countersinking.

◆  $V_{dpb}$  → datatype: float → in MPa

$$V_{dpb} = \frac{2.5 \times K_b \times d \times t \times f_{ub} \times (10^{-3})}{1.25}$$

◆ bolt\_value → datatype: float

bolt\_value = minimum of ( $V_{dsb}$  and  $V_{dpb}$ )

}

if bolt type = friction grip bolt, then:

{ Cl. 10.4.3  $V_{dsf} = V_{nsf} / \gamma_{mf}$

$V_{nsf}$  = nominal shear capacity of a bolt as governed by slip for friction type connection, calculated as follows:

$$V_{nsf} = \mu_f n_e K_h F_o$$

where

$\mu_f$  = coefficient of friction (slip factor) as specified in Table 20 ( $\mu_f = 0.55$ ),

$n_e$  = number of effective interfaces offering frictional resistance to slip,

$K_h$  = 1.0 for fasteners in clearance holes,  
= 0.85 for fasteners in oversized and short slotted holes and for fasteners in long slotted holes loaded perpendicular to the slot,  
= 0.7 for fasteners in long slotted holes loaded parallel to the slot,

$\gamma_{mf}$  = 1.10 (if slip resistance is designed at service load),  
= 1.25 (if slip resistance is designed at ultimate load),

$F_o$  = minimum bolt tension (proof load) at installation and may be taken as  $A_{nb}f_o$ ,

$A_{nb}$  = net area of the bolt at threads, and

$f_o$  = proof stress (=  $0.70 f_{ub}$ ).

NOTE —  $V_{ns}$  may be evaluated at a service load or ultimate load using appropriate partial safety factors, depending upon whether slip resistance is required at service load or ultimate load.

$$\blacklozenge V_{nsf} = \mu_f \times n_{sp\_brace} \times K_h \times F_o$$

where,  $\mu_f$  = Slip Factor = 0.55 (Default Value)

(User may input other values too. Range should be between 0.1 and 0.55. User can Refer Table 20)

$$\begin{aligned} K_h &= 1 && \text{(Standard Clearance Holes)} \\ &= 0.85 && \text{(Oversized \& Short-Slotted Holes)} \\ &= 0.7 && \text{(Long-Slotted Holes)} \end{aligned}$$

...the type of hole needs to be specified by the user at the INPUT dock

$$F_o = \text{Proof Load} = 0.7 f_{ub}$$

$$\begin{aligned} \blacklozenge V_{dsf} &= \frac{V_{dsf}}{1.1} && \dots \text{(if slip resistance is designed at service load),} \\ &= \frac{V_{dsf}}{1.25} && \dots \text{(if slip resistance is designed at ultimate load),} \end{aligned}$$

...User needs to specify at the INPUT dock that where has the slip resistance been designated at.

◆ bolt\_req → datatype: float

$$\text{bolt\_req} = \frac{F1}{V_{dsf}}$$

Round off bolt\_req to the nearest higher integer

}  
}

else if any or all of the 4 parameters (bolt diameter, bolt\_grade, section profile and section size) is not user defined, then:

{

assume the least value for the non-user defined parameter(s), perform all the calculations of this step, and store the number of bolts required under each case/combination in a variable.

}

*Determining the highest number of parallel rows possible for arranging the bolts:*

*This step is common for both the cases - whether values are user defined or not. In case when the values are not user defined, this step has to be performed on all the case/combinations created in the previous step.*

- ◆ If bolt\_req = 1 or 2 or 3 then provide 1 row.
- ◆ if bolt\_req = 4 or more then:
  - if width of connected leg is more than  $(2e + 5p)$ ; provide 6 rows
  - else if width of connected leg is more than  $(2e + 4p)$ ; provide 5 rows
  - else if width of connected leg is more than  $(2e + 3p)$ ; provide 4 rows
  - else if width of connected leg is more than  $(2e + 2p)$ ; provide 3 rows
  - else if width of connected leg is more than  $(2e + p)$ ; provide 2 rows

*for brevity, the above formulas are written only upto 6 rows. The formulas can be expanded for accompanying more number of rows.*

This step is common for both the cases - whether values are user defined or not:

Arrange the bolts in those many rows with the assumed values of  $p$  and  $e$

Long-connection-length Reduction Factor ( $rf_{lc}$ ) & large-grip Reduction Factor ( $rf_{lg}$ ):

This step is common for both the cases - whether values are user defined or not:

### 10.3.3.1 Long joints

When the length of the joint,  $l_j$  of a splice or end connection in a compression or tension element containing more than two bolts (that is the distance between the first and last rows of bolts in the joint, measured in the direction of the load transfer) exceeds  $15d$  in the direction of load, the nominal shear capacity (see 10.3.2),  $V_{db}$  shall be reduced by the factor  $\beta_{lj}$ , given by:

$$\beta_{lj} = 1.075 - l_j / (200 d) \text{ but } 0.75 \leq \beta_{lj} \leq 1.0$$

$$= 1.075 - 0.005(l_j/d)$$

$d$  = Nominal diameter of the fastener.

If length of joint is greater than  $15d$ , then

$$\text{datatype: float } \downarrow \text{rf}_{lc} = 1.075 - \frac{\text{length of joint}}{200 \times d}$$

If length of joint is less than  $15d$ , then  $rf_{lc} = 1$

### 10.3.3.2 Large grip lengths $\text{datatype: float } \downarrow \text{rf}_{lg}$

When the grip length,  $l_g$  (equal to the total thickness of the connected plates) exceeds 5 times the diameter,  $d$  of the bolts, the design shear capacity shall be reduced by a factor  $\beta_{lg}$ , given by:

$$\beta_{lg} = 8 d / (3 d + l_g) = 8 / (3 + l_g / d)$$

$\beta_{lg}$  shall not be more than  $\beta_{lj}$  given in 10.3.3.1. The grip length,  $l_g$  shall in no case be greater than  $8d$ .

else if grip length is less than  $5d$  ; then:  $rf_{lg} = 1$

multiply  $rf_{lc}$  &  $rf_{lg}$  with the  $V_{dsb}$  value and repeat from step 2 to step 5 (including step2 & step5). The previous calculated values shall be overwritten.

Applying 3 Design checks:

if bolt diameter, bolt\_grade, section profile & section size is user defined

{

◆ **gsy** → datatype: float  
 Gross section yield strength (for brace 1):  $f_y$  in MPa

$$gsy = \frac{(\text{gross area}) \times f_y \times 10^{-3}}{1.1} \times 2$$

multiply by 2 only if SP\_brace = D\_angle or D\_channel

◆ **nsr** → datatype: float  
 Net section rupture strength (for brace 1):  $f_u$  in MPa

$$nsr = \frac{0.9 \times (\text{Net Area}) \times f_u \times 10^{-3}}{1.25} \times 2$$

multiply by 2 only when SP\_brace = D\_angle or D\_channel

◆ **btr** → datatype: float      Block tearing resistance (for brace 1):

### 6.4.1 Bolted Connections

The block shear strength,  $T_{db}$  of connection shall be taken as the smaller of,

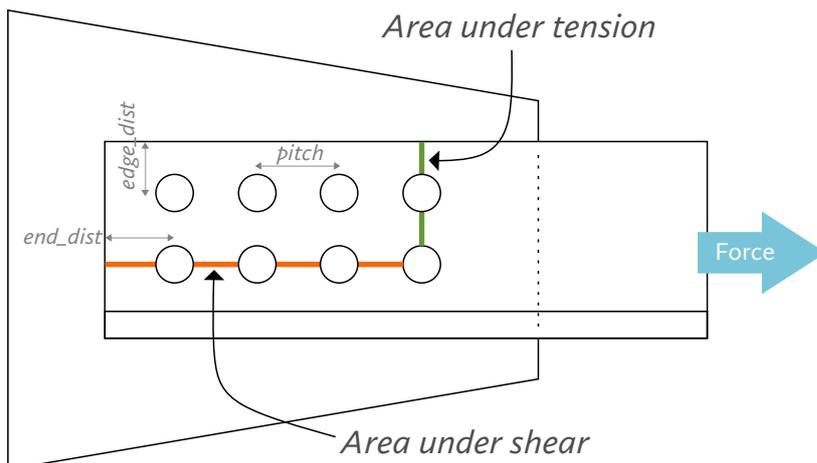
$$T_{db} = [ A_{vg} f_y / (\sqrt{3} \gamma_{m0}) + 0.9 A_{tn} f_u / \gamma_{m1} ]$$

or      1.1                      1.25

$$T_{db} = ( 0.9 A_{vn} f_u / (\sqrt{3} \gamma_{m1}) + A_{tg} f_y / \gamma_{m0} )$$

...Avg = Gross area in shear  
 ...Atn = Net area in tension  
 ...Avn = Net area in shear  
 ...Atg = Gross area in tension

multiply by 2 only when  
 SP\_brace = D\_angle or D\_channel



...**Av<sub>g</sub>** = **Gross area in shear** = [ end distance + { { pitch x (no of bolts in a row - 1) } - bolt\_dia x (0.5) } ] x thickness of connected leg

...**At<sub>n</sub>** = **Net area in tension** = [ edge\_dist + { { pitch x (no of rows - 1) } - bolt\_dia x (no of rows - 0.5) } ] x thickness of connected leg

...**Av<sub>n</sub>** = **Net area in shear** = [ end distance + { { pitch x (no of bolts in a row - 1) } - bolt\_dia x (no of bolts in a row - 0.5) } ] x thickness of connected leg

...**At<sub>g</sub>** = **Gross area in tension** = [ edge\_dist + { { pitch x (no of rows - 1) } - bolt\_dia x (0.5) } ] x thickness of connected leg

If the lesser of the above 3 checks is greater than **F1** value, then proceed ahead.

**else:** increase the end distance & the pitch by increments of 2mm, until it finally satisfies the 3 design checks. (upto max end dist and max pitch & within available section size)

**else:** give the following error: *“Choose a larger section”*

}

if bolt diameter, bolt\_grade, section profile & section size is not user defined

{

Calculate the connection length (connLen1) for all the cases/combinations created in the previous step.

arrange the list of cases/combinations created in the previous step in the increasing order of the volume of material used.  
(volume = connLen1 x total thickness)

Now apply the 3 design checks, mentioned in this step, on the list of cases.

The first case/combo to satisfy the 3 design checks mentioned in this step shall be selected.

}

if bolt diameter, bolt\_grade, section profile and section size is user defined

{

Calculate the connection length (connLen1)

}

if bolt diameter, bolt\_grade, section profile and section size is user defined

{

Compare all the connection lengths. The one giving the least connection length shall be selected as the final configuration. Label this connection length as **connLenBrace1**

*Incase there are multiple configurations that give the least length, the one among those giving highest strength utilization ratio shall be selected:*

Strength UtilizationRatio = bolt\_value x bolt\_req / F1

}

The algorithm for brace#1 ends here. Repeat all the steps for all the other braces connected at the joint.

Every brace shall have a final configuration. Identify the critical net section on the gusset plate considering the final configurations of all the braces.

Now check the gusset plate for net section rupture at that section, and also for gross section yield and for block tearing.

*(Use the formulas of step 6)*

If these 3 checks are satisfied, design is complete. End the program here.

If these 3 checks are not satisfied, increase the gusset thickness by 2mm and repeat step 11.

## OUTPUT DOCK:

### Section Details:

**Brace 1** *(similar for all other braces)* \_\_\_\_\_

Designation

Tension Yield Capacity (kN)

Tension Rupture Capacity (kN)

Block Shear Capacity (kN)

Pattern

Tension Capacity (kN)

Utilization Ratio

### Bolt Details

Diameter (mm)

Property Class

Shear Capacity (kN)

Bearing Capacity (kN)

Long Joint Red.Factor

Large Grip Red.Factor

Capacity (kN)

Bolt Force (kN)

Spacing

## Left Chord *(similar for right chord)*

Designation

Tension Yield Capacity (kN)

Tension Rupture Capacity (kN)

Block Shear Capacity (kN)

Pattern

Tension Capacity (kN)

Utilization Ratio

### Bolt Details

Diameter (mm)

Property Class

Shear Capacity (kN)

Bearing Capacity (kN)

Long Joint Red.Factor

Large Grip Red.Factor

Capacity (kN)

Bolt Force (kN)

Spacing

## Gusset Plate Details

Thickness (mm)	<input type="text" value="t_gusset"/>
Plate Length along brace 1 (mm)	<input type="text" value="connection length"/>
Plate Length along brace 2 (mm)	<input type="text" value="connection length"/>
<i>(similar for all other braces)</i>	
Plate Length Along Left Chord (mm)	<input type="text" value="connection length"/>
Plate Length Along Right Chord (mm)	<input type="text" value="connection length"/>
Tension Yield Capacity (kN)	<input type="text" value="gsy"/>
Tension Rupture Capacity (kN)	<input type="text" value="nsr"/>
Block Shear Capacity (kN)	<input type="text" value="btr"/>
Pattern	<input type="text" value="shear pattern"/>
Tension Capacity (kN)	<input type="text" value="lesser of gsy, nsr, btr"/>

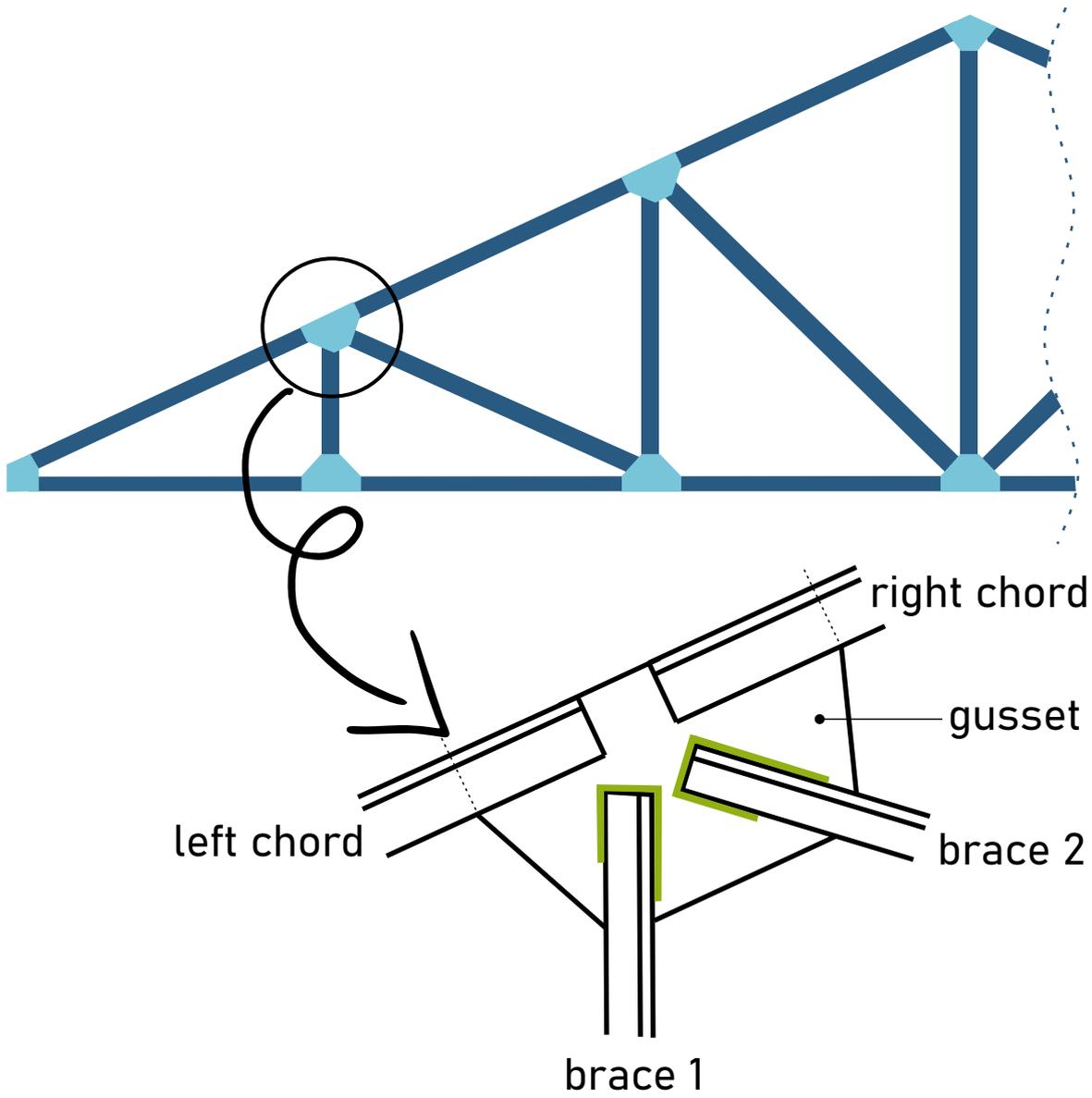
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# ALGORITHM: GUSSETED TRUSS CONNECTION (WELDED)

Algorithm by: Aamir Durrany  
(Intern, Osdag)



# INPUT DOCK:

## Connecting Members

Number of Members: \*

min: 2, max: 10 ▼

(Out of the total number of members, one member would be referred "Left Chord" and one member would be referred "Right Chord" and the remaining members shall be referred as member 1, member 2, etc...)

Section Profile: \*

Angles, Channel, etc... ▼

(To be specified for chords & braces separately. Both the chords shall have a common section profile and so will all the braces)



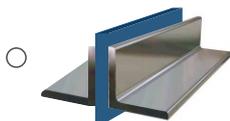
angle



channel

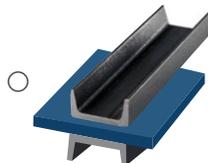


Isection



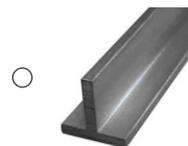
D\_angle

(Double Angle  
back to back)



D\_channel

(Double Channel  
back to back)



tee

Conn\_Location \*

Long Leg / Short Leg ▼

Section Size (Left & Right Chord) \*

All / User Defined ▼

(refer steel table database for the list of sections corresponding to each Section Profile)

Section Size (All Other Braces) \*

All / User Defined ▼

(refer steel table database for the list of sections corresponding to each Section Profile)

Angle Between Right and Left Chord:  
(anticlockwise, degrees) \*

min: 10, max: 350 ▼

Angle Between Right Chord and Member 1:  
(anticlockwise, degrees) \*

*min: 10, max: 350*

Angle Between Right Chord and Member 2:  
(anticlockwise, degrees) \*

*min: 10, max: 350*

*and so on...for {No of members - 2}*

Material grade \* *(use same grade for weld too)*

*options are:*

*E 165 (Fe 290)*

*E 250 (Fe 410 W) A*

*E 250 (Fe 410 W) B*

*E 250 (Fe 410 W) C*

*E 300 (Fe 440)*

*E 350 (Fe 490)*

*E 410 (Fe 540)*

*E 450 (Fe 570) D*

*E 450 (Fe 590) E*

## Factored Tensile Loads

Right Chord (kN) \*

*min: 30% of design yield strength (Refer Clause 10.7)*

Left Chord (kN) \*

*min: 30% of design yield strength*

Member # (kN) \* *(required for each member)*

*min: 30% of design yield strength*

*(if the user had specified a section profile and a section size,  
& further if he specifies an axial force less than 30% of design  
yield strength, then assume axial force less equal to 30%.  
mention it in the **warning**)*

## Plate

Thickness (mm) \* *All / User Defined*

*options for "User defined" : 8, 10, 12, 14, 16, 18, 20, 22, 25, 28, 32, 36, 40,  
45, 50, 56, 63, 75, 80, 90, 100, 110, 120*

defining some variables:

- ◆ Section profile for chord left: chord\_L  
Section profile for chord right: chord\_R  
Section profile for all braces: SP\_brace
- ◆ Section size for chord left: size\_chord\_L  
Section size for chord right: size\_chord\_R  
Section size for brace 1: size\_brace1  
Section size for brace 2: size\_brace2 ...
- ◆ User defined factored tensile load (unit kN)
  - In brace 1: F1 ; in brace 2: F2 ...
  - In chord left: F\_l ; in chord right: F\_r

} datatype: int  
} int  
↳ unit: kN
- ◆ Material Grade: material\_grade  
each of these material\_grade have a corresponding  $f_y$  &  $f_u$  value as follows:  
↳ datatype: int

Table 1 (Concluded)

Sl No.	Indian Standard	Grade/Classification	Properties			
			Yield Stress MPa, Min		Ultimate Tensile Stress MPa, Min	
(1)	(2)	(3)	$f_y$ (4)		$f_u$ (5)	
			<i>d or t</i>			
			< 20	20-40	> 40	
viii)	IS 2062	E 165 (Fe 290)	165	165	165	290
		E 250 (Fe 410 W) A	250	240	230	410
		E 250 (Fe 410 W) B	250	240	230	410
		E 250 (Fe 410 W) C	250	240	230	410
		E 300 (Fe 440)	300	290	280	440
		E 350 (Fe 490)	350	330	320	490
		E 410 (Fe 540)	410	390	380	540
		E 450 (Fe 570) D	450	430	420	570
		E 450 (Fe 590) E	450	430	420	590

Note: These Mpa (N/mm<sup>2</sup>) values needs to be converted into KN/mm<sup>2</sup> during calculations.

defining some variables:

- ◆ Let the no. of shear planes for each brace be: nsp\_brace → datatype: int  
This variable shall have the following values:  
nsp\_brace = 1 ... if SP\_brace = angle or channel or tee  
nsp\_brace = 2 ... if SP\_brace = D\_angle or D\_channel

◆ Let the thickness of gusset be:  $t_{\text{gusset}}$   
→ datatype: float

if  $t_{\text{gusset}}$  is not specified by the user

{ Let the initial value of  $t_{\text{gusset}}$  be: 12 }

◆ Thickness of size\_brace1 shall be:  $t_{\text{brace}_1}$   
available in steel table ← → datatype: float

$t_{\text{brace}_1}$  = thickness of connected leg ... if SP\_brace = angle or channel or tee

$t_{\text{brace}_1}$  = twice the thickness of connected leg  
... if SP\_brace = D\_angle or D\_channel

◆  $t$  → datatype: float

where,  $t$  = (minimum of  $t_{\text{gusset}}$  and  $t_{\text{brace}_1}$ )

if section profile & section size is user defined

{

in case the value of  $\frac{\text{Force applied}}{\text{area of section (mm}^2\text{)}}$  is greater than:

$f_y$  in MPa ←

•  $\text{Area of section (in mm}^2\text{)} \times \text{Material grade} \times 10^{-3} / 1.1$

then print the following error:

“The factored tensile force ( ) exceeds the tension yield capacity ( ) of the section. Please choose a larger section or decrease the load.”

}

if section profile is user defined (& not the section size)

{

in case the value of  $\frac{\text{Force applied}}{\text{area of largest section under that profile (mm}^2\text{)}}$

$A_{Lsup}$  {

is greater than:

$f_y$  in MPa ←

$A_{Lsup}$  (in  $\text{mm}^2$ )  $\times$  Material grade  $\times 10^{-3} / 1.1$

then print the following error:

“The factored tensile force ( ) exceeds the tension yield capacity ( ) of the largest section available under the designated section profile. Please decrease the load.”

### Size of Weld:

Note: If the section\_profile is back to back, the calculations shall be made by considering single side (by dividing the F1 by 2. The output (design weld parameters) would be applicable for the other side too.

Choose the minimum permissible weld size (3mm) as the size of the weld; and store it in a variable: `weld_size`

**10.5.2.3** The size of fillet welds shall not be less than 3 mm. The minimum size of the first run or of a single run fillet weld shall be as given in Table 21, to avoid the risk of cracking in the absence of preheating.

**Table 21 Minimum Size of First Run or of a Single Run Fillet Weld**  
(Clause 10.5.2.3)

Sl No.	Thickness of Thicker Part mm		Minimum Size mm
	Over	Up to and Including	
(1)	(2)	(3)	(4)
i)	–	10	3
ii)	10	20	5
iii)	20	32	6
iv)	32	50	8 of first run 10 for minimum size of weld

Note: `weld_size` should be preferably less than its max limit, as specified:

- ◆ For square edge :  
`weld_size` should be less than {thickness of thinner member - 1.5mm}
- ◆ For round edge :  
`weld_size` should be less than {3/4th of the thickness of thinner member}

**10.5.8.1** Where a fillet weld is applied to the square edge of a part, the specified size of the weld should generally be at least 1.5 mm less than the edge thickness in order to avoid washing down of the exposed arris (see Fig. 17A).

**10.5.8.2** Where the fillet weld is applied to the rounded toe of a rolled section, the specified size of the weld should generally not exceed 3/4 of the thickness of the section at the toe (see Fig. 17B).

Note: In no case shall the `weld_size` be less than 3mm

Effective Throat Thickness:

$$\text{throat\_thickness} = 0.7 \times \text{weld\_size}$$

Note: throat\_thickness shall not be less than 3mm as specified in CI 10.5.3.1

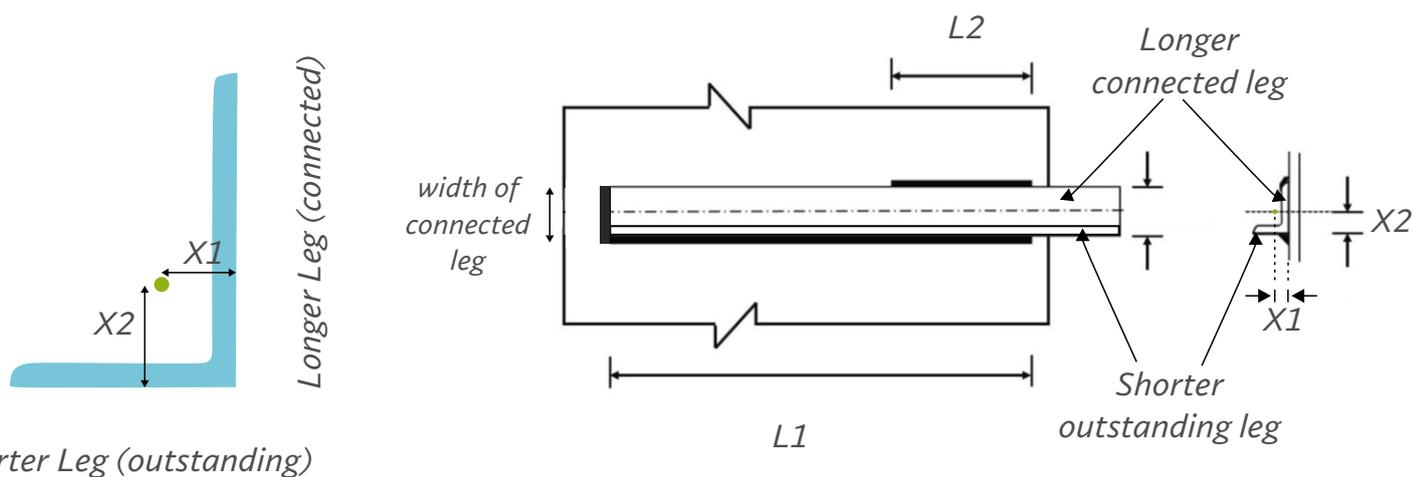
### 10.5.3 Effective Throat Thickness

**10.5.3.1** The effective throat thickness of a fillet weld shall not be less than 3 mm and shall generally not exceed  $0.7t$ , or  $1.0t$  under special circumstances, where  $t$  is the thickness of the thinner plate of elements being welded.

To determine the effective length of weld:

$$\text{eff\_weld\_length} = \frac{F1 \times \sqrt{3} \times 1.25}{f_u \times \text{throat\_thickness}}$$

Proportioning the weld length according to the C.G. of section:



An unequal angle section

$$\frac{L1}{X1} = \frac{L2}{X2}$$

$$L1 + L2 = \{\text{eff\_weld\_length} - \text{width of connected leg}\}$$

Using the above 2 equations, determine the weld length proportioning.

Note: if section\_size is not defined by user, choose section sizes one by one and perform all the steps till here on every section\_size.

Calculate overlap length

Overlap length = greater of L1 and L2

Long-connection-length Reduction Factor ( $rf_{lc}$ ):

If length of joint is greater than  $\{150 \times \text{throat\_thickness}\}$  then:

$$rf_{lc} = 1.2 - \frac{0.2 \times \{\text{weld or overlap length}\}}{150 \times \text{throat\_thickness}}$$

If length of joint is less than  $\{150 \times \text{throat\_thickness}\}$  then:  $rf_{lc} = 1$

If  $rf_{lc}$  is less than 1, then increase the F1 value in step 4 by the same % as the % decrease if  $rf_{lc}$  with respect to 1 and then repeat from step 4 to step 6. Now we shall have a greater connection length after considering the loss of strength due to  $rf_{lc}$ .

$$\text{weld\_strength} = \frac{\text{eff\_weld\_length} \times f_u \times \text{throat\_thickness}}{\sqrt{3} \times 1.25}$$

Applying Design check on brace:

if section profile & section size is not user defined

{

◆  $gsy$  → datatype: float Gross section yield strength (for brace 1):

$$gsy = \frac{(\text{gross area}) \times f_y \times 10^{-3}}{1.1} \times 2$$

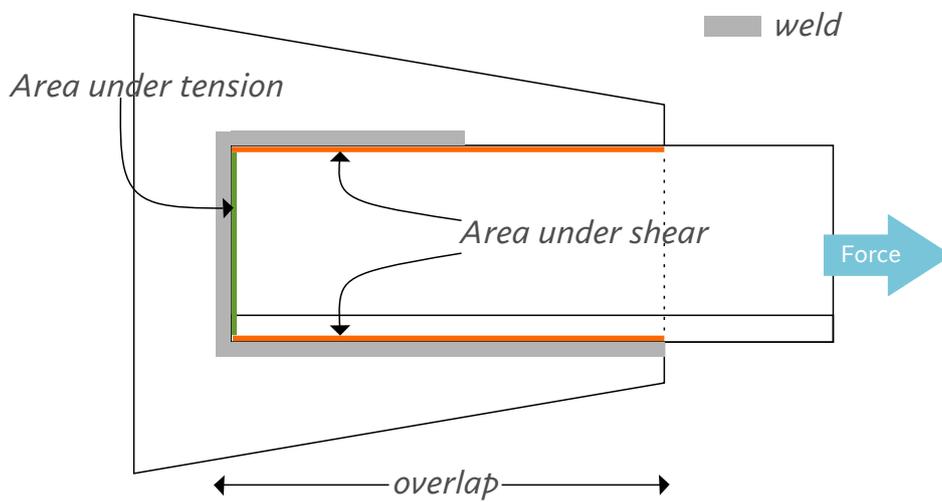
$f_y$  in MPa

multiply by 2 only if  
SP\_brace = D\_angle or D\_channel

◆  $btr$  → datatype: float

### 6.4.2 Welded Connection

The block shear strength,  $T_{db}$  shall be checked for welded end connections by taking an appropriate section in the member around the end weld, which can shear off as a block.



### 6.4.1 Bolted Connections (same for welded too)

The block shear strength,  $T_{db}$  of connection shall be taken as the smaller of,

$$T_{db} = [ A_{vg} f_y / (\sqrt{3} \gamma_{m0}) + 0.9 A_{tn} f_u / \gamma_{m1} ]$$

or

$$T_{db} = (0.9 A_{vn} f_u / (\sqrt{3} \gamma_{m1}) + A_{tg} f_y / \gamma_{m0})$$

...**Av<sub>g</sub>** = **Gross area in shear** = 2 x [ length of overlap ] x thickness of connected leg

...**At<sub>n</sub>** = **Net area in tension** = [ width of connected leg ] x thickness of connected leg

...**Av<sub>n</sub>** = **Net area in shear** = 2 x [ length of overlap ] x thickness of connected leg

...**At<sub>g</sub>** = **Gross area in tension** = [ width of connected leg ] x thickness of connected leg

Av<sub>g</sub>, At<sub>n</sub>, Av<sub>n</sub>, At<sub>g</sub> will multiply by 2 when SP\_brace = D\_angle or D\_channel

If the least among gsy and btr is greater than F1 value, then proceed to the next step.

else: reject this section and choose the next larger section size within the user defined section profile.

}

Repeat step 1 - step 8 for all the section size

Optimization based on overlap length

Arrange all the designed sections in the increasing order of overlap length. The section size giving the least overlap length shall be selected as the most optimum section.

The algorithm for brace#1 ends here. Repeat all the steps for all the other braces connected at the joint.

Design check for Gusset Plate

$$\text{gsy\_gusset} = \frac{\text{width of brace} \times t_{\text{gusset}} \times f_y \times 10^{-3}}{1.1}$$

◆ btr\_gusset

Use same formula of btr mentioned in step 8, the only difference shall be that instead of “thickness of connected leg”; “thickness of gusset plate” ( $t_{\text{gusset}}$ ) shall be used.

If the least of gsy\_gusset & btr\_gusset is greater than F1 value, then proceed to the next step.

**else:** increase the gusset thickness by increments of 2mm, repeat step 12 until the least of gsy\_gusset & btr\_gusset becomes more than F1.

Repeat step 12 for every brace. Each brace would give a unique  $t_{\text{gusset}}$ . The greatest among all the  $t_{\text{gusset}}$  shall be chosen as the final  $t_{\text{gusset}}$ .

## OUTPUT DOCK:

### Section Details:

**Brace 1** (similar for all other braces) \_\_\_\_\_

Designation

Tension Yield Capacity (kN)

Utilization Ratio

## Weld Details

Type	<i>Fillet Weld</i>
Size (mm)	<i>weld_size</i>
Strength (kN)	<i>weld_strength (from Step 7)</i>
Long Joint Red.Factor	<i>rf_lc</i>
Reduced Strength (kN)	<i>weld_strength (from Step 7)</i>
Stress (N/mm <sup>2</sup> )	$F1 / \{weld\_length \times throat\_thickness\}$
Eff. Length (mm)	<i>eff_weld_length (at step 7)</i>

## Gusset Plate Details

Thickness (mm)	<i>t_gusset</i>
Plate Length along brace 1 (mm)	<i>greater of L1 and L2</i>
Plate Length along brace 2 (mm) <i>(similar for all other braces)</i>	<i>greater of L1 and L2</i>
Plate Length Along Left Chord (mm)	<i>greater of L1 and L2</i>
Plate Length Along Right Chord (mm)	<i>greater of L1 and L2</i>
Tension Yield Capacity (kN)	<i>gsy_gusset</i>
Block Shear Capacity (kN)	<i>btr_gusset</i>
Pattern	<i>shear pattern</i>
Tension Capacity (kN)	<i>lesser of gsy_gusset, btr_gusset</i>

*Create Design Report*

*Save Output*

## Chapter 4: References

- IS 800:2007, General Construction in Steel-Code of Practice, Third Revision, Bureau of Indian Standards (BIS), New Delhi
- Design of Steel Structures (2013), N. Subramanian, 12th Impression, Oxford University Press